Counting on Epic: Mathematical Poetry and Homeric Epic in Archimedes’ Cattle Problem

In 1773, the celebrated enlightenment thinker G.E. Lessing discovered in Wolfenbüttel’s Herzog August Library a manuscript which contained a previously unknown Ancient Greek poem. The manuscript identified the author as Archimedes (c.287–c.212 BC), and the work became known as the Cattle Problem (henceforth CP). On the surface, its twenty-two couplets capitalise on Homer’s depiction of the ‘Cattle of the Sun’ in book 12 of the Odyssey and its numerical aspect. A description of the related proportions of black, white, yellow and dappled herds of cattle, which are then configured geometrically on Sicily, creates a strikingly colourful image. The author’s decision to encode a number into the figure of the Cattle of the Sun styles the poem as a response to, and expansion of, Homer’s scene. Reading through the work, though, it becomes clear that the mathematics is more complex than those in Homer’s Odyssey.

Since the work’s discovery, scholars have essayed solutions to the mathematical complexity that Archimedes weaves. Not all have been successful. Only in 1965 was the problem ‘solved’ and written out in full (a number whose digits filled 42 sheets of paper). The predominant focus on the mathematics stems from the text’s position among historians of mathematics, keen to highlight how the CP attests to an ancient awareness of simultaneous equations, and their possible complexities and limitations. Approaches that have eschewed the mathematics inevitably do so only to discuss authenticity, a thorny riddle as unsolvable as the equations.

‘But what’, we might ask, ‘is this poem actually about?’ To my mind, the obsession with solving the mathematics and the question of authenticity has meant that the importance of the CP’s medium has been under-studied and under-valued. Discussion of the text have failed to unravel the CP’s deeper architecture, and to understand the cultural and literary context which engendered. Most, if not all, readers have been left bewildered by the mathematical demands of Archimedes’ prescribed proportions and configurations and read no deeper. The present article aims to correct this.

The confrontation of Homeric epic and mathematics is central to the work, yet its importance lies not in the complex calculations alone, but in how the mathematics is co-opted to manipulate a readership. It seems clear, given the time and effort modern scholars have put into solving Archimedes’ ratios, that his recipient, Eratosthenes, would have been unable to

---

1 This article started life as an M.Phil thesis, submitted to Cambridge’s Faculty of Classics in June 2013. I am indebted to the guidance of my supervisor Liba Taub, and the advice of my examiners Oliver Thomas and Richard Hunter. Others who deserve mention for sharing with me their thoughts are James Halladay Alex Matthews, Francesca Middleton and Lucia Prauscello. Naturally, any errors are my own.

2 The specifics of the ratios of the cattle need not detain us here. I offer an edition of the full text (Appendix I), a translation (Appendix II) and the traditional mathematical delineation of the ratios (Appendix III & IV).

3 According to Hermann (1831), 230 C.F. Gauss was reported to have worked on the problem, although Krumbeigel (1880), 123 doubts Gauss’ involvement. The key advance towards a solution is found in Wurm (1830), 194f., later developed in Nesselmann (1842), 484, and finalised in the form we have in Amthor (1880), 154f. It was he who found a method for calculating the solution’s large size, expressing only the first four significant digits of a number containing hundreds of thousands of digits.

4 That is to say, the number was fully expressed. See Williams, German and Zarnke (1965) and in a more manageable form, Nelson (1981).

5 Cf. e.g. Heath (1921), 14.

6 I will not discuss the question of authenticity at length, but I take it as quite possible that the epigram is genuine. For further discussions cf. Struve & Struve (1821); Nesselmann (1842), 481-2; Krumbeigel (1880), 125. The most recent and balanced approach can be found in Fraser (1972), 407. I hope however that the discussion I offer here can at least be used to shed light on that debate.
solve the mathematical challenge. Simultaneously, in attempting a solution, modern scholars have failed to resolve the literary tensions which the CP – as a poetic, epigrammatic production – constructs. A more productive approach is to accept the mathematical impossibility and then question how this might be incorporated within Archimedes’ unique Homeric reception. Accepting and focussing on the work’s fascinating hybridity, I intend to unpick its literary content and cultural significance.

In what follows, I suggest that the narrative of the Odyssey, far from offering a useful image with which to encode the mathematics, is at the heart of this composition, and in particular, that epic’s concern with location. I tentatively highlight points of Archimedes’ seemingly allusive language which are specifically illuminating considering the work’s (self)-identification as being sent between Hellenistic scholar-poets. More important will be to see how the CP can be located in a number of intellectual spheres, and in particular how the internal workings of the poem can be read in multiple, yet still culturally significant, ways. In the second half, I contextualise the CP’s generic status, and how this might aid our reading. Indeed eventually, I argue that Archimedes stages the conflict and cross-pollination of the epic and the epigrammatic genre within the poem. It will be seen that Archimedes’ application and interweaving of mathematics and poetry reveals his peculiar cultural and poetic ideology. Furthermore, the emphasis on place, when combined with this reflection on the epic genre, speaks not just of a defence of epic, but very possibly, of Sicily.

I. Reading the Epigram

The Epigrammatic Odyssey – Beginning the Readerly Journey

How do we approach this text? The CP offers a number of different reading frameworks. The epistolary prose introduction, – Πρόβλημα ὅπερ Ἀρχιμήδης... ἀπέστειλεν ἐν τῇ πρὸς Ἐρατοσθένην τὸν Κυρηναῖον ἑπιστολή (‘A problem Archimedes.. sent in a letter to Eratosthenes of Cyrene’, Introduction Cattle Problem) – frames the recipient as Eratosthenes, and Archimedes as the sender. Is this Archimedes’ voice? It is at least an intentional communicative gesture to Eratosthenes on his part. Without this introduction we might look towards the generic history of epigram. For public inscriptions and literary epigrams, the address to a ‘παροδότης’, ‘ὁδούπόρος’ or ‘ξένος/ξείνος’ is a competitive manoeuvre intended to catch the reader’s eye, on busy public thoroughfares or on the scroll. This aspect, as is often noted, is fruitfully exploited by poets of the Classical and Hellenistic period. As Michael Tueller has shown, the materiality affects how we understand the speaker and addressee in literary epigrams. Depending on whether the epigram is sepulchral, dedicatory, or amatory, the dynamic between speaker and addressee differs. Archimedes’ ‘ξείνα’ hints towards the genre, though it is unclear into which sub-genre the CP fits. Without additional context the reader may infer themselves as the addressee, and the speaker the work.

Alternatively, one might recall the language of the Odyssey, and a passage often quoted in conjunction with the CP, in which Circe addresses Odysseus.

---

7 It is still unclear how ancient mathematicians would begin to think about solving the problem, nor is it known if the creator of the mathematical problem knew the quantities beforehand, although another Archimedian work, the Sand-Reckoner, does develop a system for coping with large numbers. cf. Vardi (1998), 318.

8 Although it is far from epistolary in content cf. Rosenmeyer (2002), 138ff. A subsequent and no doubt purposefully ambiguous question then arises as to whether Eratosthenes is a foreigner (ξένος) or a guest-friend (ξείνος).

9 This appears to be the default position, although, as Sourvinou-Inwood (1995), 279ff. admits, it is often unstated. Tueller (2010), 59-60.

10 The ideas of playfulness, generic awareness and supplementation have been a fruitful area of research in recent years. Cf. Bing (1995), 115-31 & (1998); Selden (1998), 307-19; Gutzwiller (2002); Fantuzzi & Hunter (2004), 291-306.

11 Tueller (2008), 66-94.
Then you will come to the Thrinakian island: there many Cows and stout sheep of Helios graze,
Seven herds of cows, and just as many fine flocks of sheep, and fifty in each.

An alert reader, if they know their Homer, may infer a similar dynamic here: Odysseus as the addressee, and Circe the speaker. Indeed, Odysseus as a ‘ξείνος’ is a key theme in the Odyssey, and its use in the epigram is a possible exegetical sign-post. Is this Odysseus quite literally (or is that textually?) in disguise? If the epigram echoes Circe’s words, are they the truth or a seductive trap? Such Odyssean themes swim frustratingly beyond our grasp. Another possibility is the sympotic context. Whether or not epigrams were actually performed, the notional performance at an elite intellectual symposium informs their construction. In reality, the multiple contexts exist simultaneously. An agonistic riddle at a symposium might be phrased as ‘what Circe said to Odysseus’ providing a performative context for the riddle-poser. Equally, Archimedes is the riddle-poser, performing via the text the role of Circe to Eratosthenes’ Odysseus. The core reading, however, comes from the reader himself, who in the absence of any Odysseus at which to aim Circean words, places himself as the Odyssean character. Indeed, knowing that Eratosthenes might have read the CP, the reader may wonder who is more successful playing Odysseus, and who at solving the problem. Noticeably the multiple readings of this text create a multi-layered agonistic reflection. We compare ourselves to the archetypal addressees, Eratosthenes and Odysseus; are we as clever as they?

Intriguingly, the opening line and address points towards another generic form altogether:

Πληθύν Ἑλίου βοῶν, ὃ ξείνε, μέτρησον
φροντίδ’ ἐπιστήσας, εἰ μετέχεις σοφίς’

(Cattle Problem lines 1-2)

The multitude of the Cattle of the Sun calculate, O stranger, and set your mind to it, if you have a share in wisdom.

We have, in the initial hexameter line, an invocation (ὦ ξείνε), a command (μέτρησον), and a subject (Πληθύν) modified by an extended description (Ἑλίου βοῶν). It structurally echoes the opening lines of many hexameter poems, including the Iliad and the Odyssey.

ἄνδρα μοι ἐννεπε, μοῦσα, πολύτροπον, δς (...) (Odyssey 1.1)

Tell me, o Muse, of the man of many ways, who (...)

μὴνιν ἄειδε, θεά, Πηληνάδεω Ἀχιλῆος

(Iliad 1.1)

Sing, o Goddess, of the anger of Achilles, son of Peleus

---

12 Stewart (1976), 75f. and Murnaghan (1987), 91f. still offer the best discussions of disguise, recognition and guest-friendship in the Odyssey.
14 Many such epigrams do in fact survive in the Palatine Anthology 9.457-80.
15 See also, for example, Thebaid Fr.1.
They too open with their subject, an invocation, a command, and often a polysyllabic adjective. Epic invocations are employed to request information from the poet’s goddess or muse: they, and not the poet, have true knowledge and information. Markedly, the CP’s ‘epic invocation’ is instead addressed to the reader and solver; will you be as successful as the omniscient Muses of epic in decoding the riddle? Is there irony for Eratosthenes, in the service of the Muses as head of the Alexandrian Museion, now the direct recipient of a Muse-like request for knowledge; will he live up to his title? By forming an opening which parallels the reader with the traditional Muse, Archimedes makes it quite clear what the intellectual stakes are here.

Equally, one should consider the role of Archaic elegy in the formation of the text about which Geoffrey Benson has recently written. He notes the structuring principles, key terms (‘σοφία’, ‘μέτρον’), and address to a ζείβε which the work shares with elegy. Assuredly, elegy continues in the Hellenistic period, and sees some dramatic shifts. In particular, it is the form used for longer catalogue poetry. Thus the catalogue of calculation that the CP offers demands further reflection on its genre. Taken alongside the tradition of mathematical poems, it might be read as a long epigram (see below). Following Benson’s line, though, the CP’s ‘main motifs imitate Archaic elegy.’ Certainly, wisdom and a sense of proportion appear in both, although the use of those terms in an emphatically mathematical context complicates the association; Archimedes enters into a dialogue with, but does not necessarily imitate, elegy. So too, his suggestions concerning the wider implications of such terms in Archimedes’ poem are not always convincing. Nonetheless, I cannot help feel that in this case, both epigram and elegy are in play, and the period attests amply to how both genres reinterpret and rework Homeric material. This question will return more pointedly in the final section, but for now, let us allow for both genres to operate within the text.

Whether the reader knows their Homer is a crucial point. The contexts of reading are related to a reader’s literary exposure, and as often in the ancient world, knowledge of Homer provides a measure of one’s education. Moreover, the multiple contexts of speaker and addressee can be held up for comparison. We not only size up our own knowledge of Homer, we can read it as Archimedes attempting to measure up Eratosthenes’ knowledge. Is the work aimed at sizing up the Cyrenean opposition? Has his time at the Alexandrian Museion made him, like the Muses, a font of knowledge? Such questions arise when considering it as a private correspondence, and for Archimedes, perhaps they only need to be asked. Also the question is raised of how one encounters the poem. Do we imagine a physical inscription of the text, on contemporary Sicily attesting to the island’s mythical pedigree, or on the ‘literary’ Thrinakia, addressed to the intrepid Odysseus (or Odysseus-like) figure? Or, is this a variation on Circe’s speech, a record of an oral performance (of a riddle), turned from hexameters to elegaics? As we shall see, the text continues to be concerned with place, as well as embodying aspects of both epic and epigram. Leaving the work open to a multiplicity of readings, Archimedes constructs a riddle out of reading.

**Continuing the Journey – A Textual Sign-Post and a Question of Geography**

---

16 The clearest discussion of this is still Lenz (1980), 21-41.
17 The issue of elegy was also highlighted by the reviewer. Benson’s article came to my attention too late to remodel and incorporate fully his ideas herein. Needless to say, I encourage the reader to consult his work also. 
18 See Benson (2014), 178-82.
19 Generally, his analysis of the structural similarities is strong. Antimachus, Hermesianax and Callimachus all employ elegy in catalogue form, and this may well have influenced Archimedes. His argument that something like the tradition of the Seven Sages exists behind the CP does not persuade.
As our reading progresses, Archimedes plays with the idea of the reader as an Odysseus-like figure. After a gap of twenty-two lines, in which Archimedes elucidates the ratios of the herds of the Cattle of the Sun, he apostrophises the reader.

'ξείνε, σύ δ’, Ἑλλῆνο τοῖς πόνοι ἀτρεκεῖς εἰπὼν, χωρίς μὲν ταύρων ζατρεφέων ἀριθμόν, χωρίς δ’ αὖ, θῆλεια δόσαι κατὰ χροῖν ἔκασται, ὦκ ἀδύρις κε λέγοι οὖδ’ ἀριθμῶν ἀδάῆς

(Cattle Problem lines 27-30)

If, o stranger, you accurately tell how many Cattle of the Sun there are, Telling separately the number of well-fed bulls And separately again the number of each herd of cows according to colour, You would not be called unskilled or ignorant of numbers

This sign-post is not for the unlettered. It is an allusive reference underscoring the work’s scholarly nature and its ludic application of Homeric philology. The adjective describing the reader (Σείνε), ‘ἀδύρις’, is a dis legomena in Homer, appearing once in the Iliad and the Odyssey. In the Iliad, Priam describes Odysseus’ feigned foolishness while on an embassy to Troy as ‘ἀδύρις’, holding the speaker’s staff ‘seeming like a man who was ignorant of it’ (Iliad 10.219). Yet in the Odyssey it suggests something quite different. After he has arrived on Aeaea and his crew have been transfigured into pigs, Hermes halts Odysseus and provides him with a protective potion before confronting Circe.

Πὴ δὴ αὖ’, ὃ δυστήνε, δὴ ἄκριας ἔρχεαι οἷς χώρουν ἀδύρις ἐὼν;

(Odyssey 10.281-2)

To where are you heading this time, poor man, along the hilltops, Knowing nothing of the country?

This is not the sly Odysseus of the Iliad, but of the Odyssey, constantly wandering, and wondering to which land he has been blown, guided by the divine assistance of Athena.\(^2\) Indeed, the related noun ‘ἀδυρείη’ is twice applied to Odysseus’ men who ‘with ignorance’ entered Circe’s palace: οἱ δ’ ἄμα πάντες ἀδυρείησιν ἐποντο (‘they all at the same time entered with ignorance’, 10.231 = 10.257). Superficially, this adjective seems diplomatic, a congratulatory compliment. What might the attentive reader infer about Archimedes’ allusive description of them and another possible reference to Odysseus, again literally and textually, disguised before them?

The Odyssean passage is emphatically geographical: Odysseus has no knowledge of where he is. How does this square with the CP? Broadly, the reader’s halted progress parallels Odysseus’ movement along the hill-tops – ‘δι’ ἄκριας ἔρχεαι’ – intercepted by Hermes.\(^3\) A problem that arises, however, is the transposition from Aeaea in the Odyssey, to Thrinakia in the CP. A claim of oversight on Archimedes’ part is a possibility, but this does not really explain why such a specific textual allusion would lead to a readerly ‘dead-end’. Rather, I suggest, for the reader recognising both their adopted Odyssean role and the incongruity of the Homeric intertext, they best Odysseus by succeeding in orienting themselves with regards to Homeric geography, textually and figuratively. Thus we could reread Archimedes’ line as ‘you will not be called unskilled (as Odysseus was, geographically speaking)’.

Structured in geographic terms, the allusion asks the reader if they can locate Odysseus. For Eratosthenes, questions of Odyssean geography are highly contentious. Broadly

\(^{2}\) E.g. Odyssey 6.191, 7.193, 8.301.

\(^{3}\) On the literal and figurative movements of reading epigrams see Höschele (2007).
speaking, Homeric scholars had two positions on Odysseus’ wanderings. Some located the wanderings within the Mediterranean such as Strabo and Callimachus, while others pinpointed them beyond the Pillars of Hercules, including Apollodorus of Athens and Eratosthenes. Sicily was identified as an especially likely candidate for the mythical island, and by the Hellenistic period, the association was common. This was no doubt bolstered by Thucydides’ folk etymology; ‘Θρινακίη’, or as it was also known, ‘Τρινακρία’, a back-formation based on Sicily’s three capes, ‘τρεῖς-ἄκρας’. However, employing mythology to elucidate contemporary geography was found by some scholars to be methodologically dubious. Eratosthenes was a particularly vocal opponent. As a scientist and philosopher, as well as a literary critic and poet, he argued that Homer’s *Odyssey* had no place in the burgeoning discipline of geography.

Yet prior to my proposed ‘geographical’ intertext, Archimedes had already signalled for the reader his intellectual allegiances.

\[\text{πόσση ἃρ’ ἐν πεδίοις Σικελῆς ποτὲ βόσκετο νησου}
\\[\text{Θρινακίης τετραχῆ στίφεα δασσαμένη}
\]

(*Cattle Problem* lines 3-4)

As many as once grazed the plains of Sicilian Thrinakia’s island, divided four-ways (...)

Archimedes’ account of Sicily as Thrinakia signals no debate: the suggested geographical equivalence becomes fact. The association would pose no problem for the average reader, used to the mythical heritage of the island: cultural *terra firma*. For Eratosthenes however, the equation of Sicily as Thrinakia is an impossibility. From the beginning, Eratosthenes’ acceptance of the mathematical challenge and the readerly journey would jar. The Odyssean allusion, then, advances Archimedes’ strategy.

To decode Archimedes’ allusion, the reader must take on the Odyssean role, journeying through a text and a myth firmly located on Thrinakia, a Thrinakia that is in fact Sicily. The allusion sets the reader, as I have argued, at the interstices of Homeric geography and Homeric philology. Yet Eratosthenes, who we might expect to notice this allusion, prescribes to a reading of Homer which does not allow Archimedes’ (playful) geography and philology to intersect. The characterisation of the reader as ‘οὐκ ἄδρις’ in a geographical sense gains piquancy when we imagine it aimed at Eratosthenes. Praise about knowing where one is, is a pointed compliment for Eratosthenes the revolutionary geographer. Yet the setting of Archimedes’ poem, and the Odyssean allusion which would constitute this praising, sets such a compliment on the precipice of ridicule. Eratosthenes may know where he is in this poem through textual allusions, but as a geographer, does he really know Homeric geography? Once again, Archimedes displays a sophisticated literary strategy, not only testing the reader’s educated status, but offering a view of the literary challenge he sets up for Eratosthenes.

Completing the Journey – The Significance of Success

---

22 Fr. 9 R = Strabo 1.2.37 Radt. For Strabo’s positive view of Homer see most recently Kim (2010), 47f.
23 Fr. 8 R = Strabo 7.3.6-7 Radt. The particular naming and concretisation of this theory as ‘ἐξωκεανισμός’, however comes only later with Crates of Mallos, cf. Crates frs. 44 & 77 Broggiato; Roller (2010), 120-3; Walbank (1979), 586-7.
24 Gomme, Andrew & Dover, (1970), 211.
25 Although he was not against Homer’s poetry *per se*. 
The final lines of the CP again exhibit a conditional tone; a solution is not assured. Archimedes interweaves language reminiscent of Greek epinician poetry with that of epic, and employs an adjective with a curious philological history. ARCHIMedes interweaves language reminiscent of Greek epinician poetry with that of epic, and employs an adjective with a curious philological history.

Τὰῦτα συνεξεύρον καὶ ἐν πραπιδεσσίν ἀθροίσας καὶ πληθέον ἀποδοῦς, ζέειν, τὰ πάντα μέτρα ἔρχεσ θνίδου νικηφόρος ἵσθε τε πάντως κεκριμένος ταύτη γ᾽ ὅμπνιος ἐν σοφίῃ.

(Cattle Problem lines 41-4)

If, o stranger, having completely worked out in your mind these things,
Collating and giving an account of every dimension
You may go, a victor, and carry yourself proud, knowing that wholly
You have been judged “ompnios” in this species of wisdom.

Proceeding as one who is ‘κυδίον νικηφόρος’, the ‘foreign’ reader proudly carries off his victory. This image is complex. In the riddling context, ‘ἔρχεσ’ is as much a sphinx-like ‘you may pass’ – having solved the riddle – as it is a secondary epigrammatic command to go forth, having contemplated an inscription. The initial conditionality of the challenge – ‘εἰ μετέχεσ ους σοφίς’ (line 2) – is here resolved in a neat ring composition. Having completed these calculations, you have been judged wise; not only is it no longer a case of ‘if’, ‘εἰ’, but the successful solver is ‘rich’ in a species of wisdom (on which, see below). The ‘νικηφόρος’ so reminiscent of Pindaric epinician should also make one read an agonistic context in ‘κεκριμένος’ – ‘having been judged in contest’. The novelty of this tone should not be overlooked. The riddle exchanged between the two scholars, a battle of learning and culture, offers a noticeably different view of competing individuals and poleis in the Greek world.

Success is not gained through sporting prowess, but in giving an account of mathematical dimensions and aspects of Homeric poetry.

In addition, the participle ‘κυδίον’ has a noticeably epic context. It describes the exultant Agamemnon (Iliad 2.579) – and, in the plural, the exulting gods (Iliad 21.519) – with the intention of emphasising their proud behaviour. It also appears in two almost identical similes, comparing heroes, Paris and Hector, to horses which have bolted the stable and glorying in their splendour, enjoy their freedom (Iliad 6.506-11 = 15.263-68). Each deployment colours our understanding. With Paris, the image of a horse that delights too much in his appearance reflects Paris’ underlying nature. Whereas Apollo, rousing Hector from his feeling of defeat, brings out in him the exulting confident defender of Troy. It is this onslaught, this final rallying against the Achaeans with Apollo’s aid that leads to the death of Patroclus at Hector’s hands, and thus seals his fate at Achilles’. Of course, since in the CP only ‘κυδίον’ is present, any link must be tentative. Nonetheless, the work clearly demands epic familiarity. To read echoes of either narrative is to read a note of caution about believing in one’s own abilities.

The final line contains an equally intriguing word, which I have left untranslated: ὅμπνιος. Instead of meaning simply ‘well-fed’ as the LSJ translates, it has a specific cultural and literary provenance. A Scholi on Apollonius Rhodius offers the phrase στάχυν ὅμπνιον (‘an ompnios ear of corn’) which Jane Lightfoot’s recent English edition rightly leaves untranslated. Philetas of Cos, the fourth century poet and grammarian, defined it as corn that is ‘εὔχολον καὶ τρόφιμον’ (’succulent and nourishing’) in his Ataktoi Glossai, a glossography of rare literary and dialect words. Subsequently, it becomes a word with a certain Hellenistic

26 Cf. Pindar Isthm.1.22; Nem.3.67; Ol.2.5, 13.14.
27 On both similes see most recently Graziosi & Haubold (2010), 226-7.
currency: Callimachus, Apollonius, Eratosthenes and Lycophron all employ it.\(^{30}\) The semantic nexus appears to focus around the goddess Demeter in her role as provider of grain. Emanuele Dettori, however, cautions applying the semantics of that phrase to ὸμπνιος alone.\(^{31}\) How might ὸμπνιος function in the \(CP\)? Is Dettori correct to assert that it is unrelated to agricultural fecundity?\(^{32}\) Or, if the overwhelmingly common sense of harvest and fecundity is absent, then what meaningful sense fits the context: ‘large’, ‘huge’ or ‘flourishing’?\(^{33}\) Perhaps there is an Odyssean pun in ‘well-fed’ reflecting the crew’s sacrifice and eating of the cattle.\(^{34}\)

In fact, the meaning is still unclear. This underscores how much we do not know about the developing uses and re-uses of antiquarian, technical and religious vocabulary within and without Hellenistic scholarship. While some of the language points towards an intricate and allusive \textit{envoi}, its sense, for now, is irretrievable. It can be noted that the closing lines clearly respond to the challenge set out. Yet we should not forget that while the conclusion offers wisdom as the reward, the very chance of this occurring is doubtful, and to this point I shall return.

II. Locating the Epigram

Having considered how Archimedes utilises the Odyssean narrative, I want to dig deeper into the ways he integrates, elides and confronts epic and epigrammatic forms. Through an analysis of some epigrammatic riddles and the ways in which their dense, allusive form reworks Homeric material, I suggest that the \(CP\) deserves to be read within the riddle genre. Equally though, looking at the mathematical aspects, I subsequently argue that it must also be read within the framework of a peculiar sub-genre of epigram: the mathematical epigram. In both cases, I highlight the differing levels of assumed knowledge on the part of the reader, and what this can tell us about their, and the \(CP\)’s, context of production and reception. Most importantly however, I take the epigram’s opening word ‘Πληθόν’ as a point from which to consider how the \(CP\) stages its own conflict of genre. Ultimately, I want to claim the \(CP\) as a unique document of cultural interaction, and suggest that Archimedes works well beyond, and actively strains, the boundaries of the genres in which we place his work. The \(CP\) is more than just a mathematical challenge, it is a self-aware piece of literature that poses many questions for its readers, and no-one more so than Eratosthenes.

\textbf{Hidden Heroes: Learned and Popular References in Homeric Riddles}

How purposeful are the allusions in the \(CP\), and to what extent are they to be noticed by an astute reader? An epigram by Philetas of Cos underscores how Hellenistic riddle epigrams engage with Homeric material in intricate ways, employing both philology and a broader cultural knowledge.

\begin{center}
\textit{οὐ μὲ τις εξ ὀρέων ὀποφώλιος ἀγριώτης
ἀιρήσει κλήθην, αἵρομενος μακέλην,
ἀλλ’ ἐπέων εἰδώς κόσμον καὶ πολλὰ μογῆσας,
μῦθον παντοίων ὀμον ἐπιστάμενος.}
\end{center}

\textit{(Philetas fr.12 Sbardella)}

No lumbering rustic from the mountains shall bear me,

\(^{30}\) Callim. ffr. 1.9, 287 & 357 Pf.; Lycephyr. 619 & 1263; Apoll. Rh. 4.988. Eratosth. fr. XVIII-XIX Hiller = fr. 16 Powell. Eratosthenes’ \textit{Hermes} was a learned and recondite composition, the most recent and illuminating contributions are by Scanzo (2002) and Di Gregorio (2010). It is intriguing that the adjective appears at significant points in these two acquaintances’ works.


\(^{32}\) \textit{Ibid}, 121.

\(^{33}\) LSJ s.v. ὸμπνιος.

\(^{34}\) \textit{Ibid}. Odysseus alone refrains from meat (\textit{Odyssey} 12.391-400). This may suggest a playful meaning of ‘ἐνὶ πραπίδοις’, where the Homeric ‘πραπίδος’ means both ‘intellect’ and ‘midriff’ or broadly ‘stomach’; a notable change from ‘φροντίς’ (line 2). LSJ s.v. πραπίδος. However, the allusion is by no means certain.
snatching up a hoe – me, an alder tree;
but one who knows the marshalling of words, who toils,
who knows the pathways of all sorts of speech. 35

Peter Bing, rejecting variant views of the alder tree as a poet or a woman, suggested that it refers to a writing tablet. 36 More recently though, Jan Kwapisz highlights how the noun ‘κλήθρη’ refers to the alder tree out of which Odysseus constructs his raft on Calypso’s island. 37 The noun only appears in Odyssey book 5, and it is the key for decipherment. 38 If the pronoun ‘μὲ’ refers to the alder, then the ‘alder-slayer’ who knows ‘the marshalling of words’ and ‘toils’ is Odysseus, traits formulaically ascribed to him.

Similar to the CP, the character of Odysseus is revealed to us through a philological signpost. How convincing is this reading? Philetas’ epigram balances our broad cultural exposure to Odyssean material with a textual allusion. Retrospectively, we might congratulate ourselves for having noticed the unique ‘κλήθρην’. Might an ancient reader have deciphered the epigram simply from the references to a man who is good with speech, has struggled, yet knows the ‘many ways’? 39 These are Odysseus’ predominant traits. This is crucial when considering literary riddles. Within a riddle, the information proffered is never itself erroneous, rather it is obscurely expressed. With Philetas, as with Archimedes, their language describing Odysseus employs both philological specificities and in-grained cultural formularity. Not only does Archimedes repeatedly address a ‘Σείνω’ – Odysseus being the archetypal ‘ζείνω’ – but the very situation is uniquely Odyssean. The novelty of this type of riddling epigram, it seems to me, lies in our ability to observe the author at work covering up the identity of a figure in Greek culture, mentioning but not mentioning the great Homeric hero. For the astute reader, a philological allusion is a further sign of the poet’s skill in pointing to, but not verbalising, the well-known subject.

The following riddle functions similarly, leaving its subject, a key Homeric figure, initially hidden from the reader.

\[
\begin{align*}
\text{άνδρ’ ἐμὸν ἔκταν’ ἐκυρός, ἐκυρόν δ’ ἔκτανεν ἄνήρ,} \\
\text{καὶ δαήρ ἐκυρόν καὶ ἐκυρός γενέτην.}
\end{align*}
\]

(Palatine Anthology 14.9)

My father-in-law slew my husband, my husband slew my father-in-law,
My brother-in-law slew my father-in-law, and my father-in-law my father. 40

The epigram’s features are not outwardly Homeric, nor are there any philological pointers; rather, a certain level of knowledge of Homer’s epics is required. To solve this riddle and identify the figure as Andromache, one must know that her first husband Hector was killed by Achilles, who becomes her father-in-law when she married Neoptolemos, who had killed her first father-in-law Priam, and that Andromache’s brother-in-law Paris killed her father-in-law Achilles, who had killed her father Eetion. The epigram presents a set of propositions concerning certain members of an unknown person’s family which are relatively straightforward. The repetitious language compounding the four interrelations, however, spawns complexity. With Philetas the identity of Odysseus is a textual matter, while this Homeric epigram weaves a knot of interconnection around Andromache out of the broader cultural currency of epic. Archimedes operates in like fashion. There is a certain superficial
simplicity in offering up the ratios of herds of cattle. When considered thoroughly, though, it becomes obvious that things are more complicated. Both epigrams underscore how difficult it can be to untangle the mass of culture that is the Homeric tradition. The dénouement of the epigram on Andromache is successful because it offers the reader resolution; there are simple answers to knotty cultural interrelations.

Observable is a reflex of what Teresa Morgan calls ‘joining the club’. Developing out of Classical and Hellenistic forms of education or paideia, degrees of acquaintance with Homer created both a shared identity, and a stratification of the educated classes.\textsuperscript{41} As a context for the expression of this ‘exclusivity’, the symposium – and literary correspondences and circulation of epigrams enacting the social space of the symposium – re-affirmed and tested elite intellectuals’ ‘Greekness’. The agonistic intellectualism of the Andromache epigram seems clear, for Philetas this is probable, and in the case of the CP, the epistolary header is highly suggestive. Clearly, a philological note demands deeper knowledge than heroic genealogies. Nonetheless, these two aspects, erudite textualism and popular knowledge, are not mutually exclusive, and this, in fact, is part of the craft of the riddle.

In the CP, there is no enunciation of Odysseus. Yet his character and his narrative are never far from the reader’s mind. The ‘Club’ has varying degrees of membership. A reader of the CP, picking up the Odyssean cues, could congratulate themselves. Those who notice the philological intertexts of ‘/cli’ and ‘mi’ will feel ‘intellectual’, and may additionally reflect whether Eratosthenes too noticed these intertexts. Archimedes’ epigram allows the reader to observe intellectual agonism ‘in action’, and the riddle is the genre par excellence to underscore this competitive interaction.

**Culture by Numbers**

Another intriguing epigrammatic sub-genre is the mathematical epigram. We find these mainly in the fourteenth book of the Palatine Anthology, along with oracles and riddles.\textsuperscript{42} They encode mathematical questions in the shared Hellenic cultural ‘database’ of Greek myth, and some are specifically Homeric; one discusses the capacity of a brazen Polyphemus (AP.14.132). Consider also the following on the Muses and Graces.

\[
\text{Αἱ Ξάρτες μήλων καλάθους φέρον, ἐν δὲ ἐκάστη ἰσον ἐτι πλήθος. Μοῦσας σφίςιν ἀντεβόλησαν ἐννέα, καὶ μήλων σφέας ἠμενόν: αἱ δ’ ἄρ’ ἐδώκαν ἰσον ἐκάστη πλήθος, ἐγὼν δ’ ἑσμα ἐννέα καὶ τρεῖς. Εἰπὲ πόσον μὲν δῶκαν, ὅπως δ’ ἱσα πᾶσαι ἔχεσκον.}
\]

(Palatine Anthology 14.48)

The Graces were carrying baskets of apples, and in each was the same amount. The nine Muses met them, and asked them for apples: to each they gave the same amount, and the nine and three had each the same number.

Tell me how many they gave, and how they all had the same amount.

Such mythical characters encoding mathematics ensures that the epigram is accessible to those Greeks who were being (or already) educated. Whether a matter of paideia or sympotic ambiguity, it is notable that the number of Graces is not mentioned until line 4 – ‘the nine [Muses] and three [Graces] had each the same amount’ – and then only obliquely. Importantly, the epigram makes the number of the Graces and Muses not just coincidental, but asserts the intrinsic numerical nature of the Goddesses. Yet, as B. MacLachlan’s work on


\textsuperscript{42} Although this compilation is undoubtedly Byzantine, it is now agreed that many of the epigrams, if not from the Hellenistic period, at least echo Hellenistic models cf. Cameron (1993), 268.
the Graces shows, their number varies depending on the choices of each cult. So too, T. Mojsik underlines the differing numbers of Muses in the ancient tradition. This assumption that there existed a ‘correct’ number of Muses collapses the multiplicity of the Greek tradition. Moreover, if we follow Aristarchus, Homer did not conceive of a specific number of Muses. This literary epigram not only demands singularity out of plurality, it is markedly un-Homeric.

Another epigram, recorded as Homer’s reply to Hesiod when asked how many Greeks took part in the Trojan War, highlights a similar ‘classification’.

Ἑπτὰ ἔσαν μάλερῳ πυρὸς ἐσχάραι· ἐν δὲ ἐκάστῃ πεντήκοντ’ ὄβελοι, περὶ δὲ κρέα πεντήκοντα· τρίς δὲ τριηκόσιοι περὶ ἐν κρέας ἦσαν Ἀχαιοὶ.

(Palatine Anthology 14.147)

‘There were seven hearths of fierce fire: and in each
Were fifty spits and fifty joints on them:
About each joint were nine hundred Achaens.

Again, the reader’s calculation has a ‘literary’ significance; it emphasises the great number of those at Troy. Equally, we see Greek culture, and Homer’s Iliad in particular, concretized by means of numbers. Remarkable is the sheer extent to which it has delimited the Homeric tradition. Hesiod’s presumed question here is that very same which the poet, prior to the Iliad’s Catalogue of Ships, claims as impossible to answer (II. 2.484-90); instead he is able only to recall the leaders of men. This epigram collapses the Iliadic passage, 285 hexameters (II 2.494-779), into three lines. Furthermore, whereas Homer reckons between 100,000 and 150,000 men, this epigram bests him by suggesting there were 315,000. Homer is stripped of poetic weight, and accuracy. These epigrams underscore just what is at stake when addressing the numerical aspects of shared cultural notions.

How, then, does Archimedes employ mathematics ‘culturally’, and does it confirm, or departs from, the orthodoxy. His exposition of the cattle dwarfs Homer’s 350 cows and sheep. I suspect, however, that this is not an attempt to best the bard, but rather to emphasise Sicily’s fertility. Archimedes’ compatriot, Theocritus, as Marco Fantuzzi notes and Reviel Netz develops, plays on a similar theme in Idyll 16. That ‘patriotic’ Idyll addressed to Hieron II of Sicily, looks towards the island’s reinvigoration with νάριθμοι/μήλων χιλιάδες (‘countless thousands of sheep’, Theocritus Idyll 16.90-1). Netz pushes this numerical aspect, suggesting that Theocritus’ emphasis on ‘those who wished to slaughter its [Sicily’s] cattle’ refers to contemporary events, perhaps Marcellus’ attacks and siege of the city. Archimedes’ language and his mathematics equally contrive a situation of innumerable livestock. Yet whereas Theocritus states the immeasurability, Archimedes offers the expectation of a solution, which the mathematical complexity duly thwarts; Sicily’s cows are innumerable and Sicily unlimited in its resources, a promotion of wealth but pointedly also a challenging warning to its enemies.

How, then, might we establish the terms of the debate for the CP? Eva Sistakou’s work on ‘Homerizing’ epigrams in the seventh book of the Palatine Anthology traces how the Trojan myths were ‘fossilised’ by Hellenistic poets. Commenting on riddles, she suggests that familiarity with Homeric ‘stereotyped patronymics’ and specific literary data induced

43 MacLachlan (1993), 51, n.23.
44 Mojsik (2011), 74f.
45 Cf. schol. in Od.24.1 Dindorf.
46 Netz (2009), 168, where Fantuzzi’s thought per litteras is noted. See also Gow (1952), 128.
47 Sistakou (2008), 50-4.
poets to codify texts with lexical puzzles. A similar process occurs in the mathematical epigrams. Yet this approach can be developed. The effect of cultural material being employed in educational curricula, then recycled in the symposium, makes elite consumers active participants in the continual re-configuration of the Greek tradition. A profitable discussion is offered by A. Yatsuhashi, who examines the cultural dynamics of knowledge in Hellenistic epigrams. Advancing the view of the Alexandrian Library as a concerted expression of power, he suggests that erudite epigrams emblematised this store-house of cultural knowledge. Such a Foucauldian reading illuminates the discourses of knowledge in mathematical epigrams. Alongside considerations of the exposure to Homer the epigrams demand, from wider cultural figures to the minutaie of Greek philology, the act of defining something numerically is revealing. Just as ancient libraries physically categorise and codify the literary tradition, so too enumerations serve to simplify and limit that information. The peculiar way in which mathematical epigrams attempt to give a specific, manageable form to the amorphous mass of the proceeding tradition, reveals the conditions of their construction. If there is indeed a patriotic vein to Archimedes’ cattle and their innumerability, it is no surprise that this poem is aimed at the contemporary embodiment of the tyranny of the archive: Eratosthenes, polymath and head of the Museion at Alexandria.

Cows and Catalogues: Measuring up (to) Homer

I conclude with the opening of the CP and ask how Archimedes foregrounds such dynamics of knowledge. The opening word ‘πληθύν’, both signifies a ‘multitude’ and gestures towards a salient intertext. This programmatic beginning crystallizes the theme of immeasurability and illuminates the dynamics of mathematical and poetic knowledge. Additionally, it raises questions about its poetic status and the complexities of thinking about epic in other genres. This intertext is the second invocation to the Muses prior to the catalogue of ships, a passage succinctly highlighting the poet’s ability to cope with numbers. Its popularity as a stand-alone section of the Iliad in Greek society affords the opportunity to take ‘πληθύν’ seriously and contemplate how this might affect our reading.

Tell me now, Muses who hold the Olympian halls, for you are goddesses and are present and know everything, while we only hear reports and know nothing: how many were the leaders and Kings of the Danaans: the multitude, though, I could not tell of, or recall, not if I had ten tongues, or ten mouths nor if my voice was unbroken, and my heart bronze.

With the prospect of (re)counting all the men at Troy, in a scene often analysed, the poet reaffirms his relationship to the Muses. The poet’s inability to deal with a large number of

---

48 Ibid., 54 n.95.
49 Yatsuhashi (2010), 149f.
50 Cribiore (1994), 4-5; (1996); (2001), 194f.
51 The translation is my own.
52 Cf. most recently Murray (1981), 90 & Graziosi & Haubold (2010), 2. This is no doubt an over simplification of the passage. Further discussion can be found in Ford (1991), 57-89.
people contrasts with the Muses’ omniscience; he will have to settle for recalling only the leaders of men.

This ‘purple passage’ has been variously interpreted as the poet’s lack of strength for the task, or his failure to remember a large quantity of information. The poet’s hypothetical ten tongues and mouths are intriguing. In the face of a multitude, the poet underlines how the division of labour between mouths becomes a useless task. Reinforcing expression through the numerical multiplication of the organs of poetry – ‘γλῶσσαι’ and ‘στόματ’ – still falters against the undefined ‘πλήθον’; the poet’s reliance on the Muses fails, and so he must be selective.53 Certainly, the poet is not directly concerned with mathematics or numeracy here.54 Rather, the specificity of the noun ‘πλήθον’,55 and the passage’s popularity, allows us to consider the CP’s echo as a condensation of themes latent in the Iliad. Whereas in the Iliad the invocation signals imminent divine elucidation of information, in Archimedes’ epigram the reader himself must generate it. The ‘database’ of Greek cultural knowledge, in the Iliad the Muses, is located with the reader in the CP. Equally, the passage highlights how traditional poets fail when attempting to quantify ‘πλήθον’. Indeed, the distinction that the poet of the Iliad makes is between knowing about every man at Troy, and those narratives of the great heroes and kings. Omniscience remains the gods’, but the poet can recall narratives of cultural importance. Archimedes offers the reader Muse-like omniscience and the ability to affirm their intellectual Hellenicity, while emphasising the futility of obtaining a total knowledge of everything Greek. His unique combination of mathematics and poetics serves as a culturally loaded message about the limits of knowledge.

Important to contrast with ‘πλήθον’ is the command, ‘μέτρησον’ – measure. This verb, ‘μετρέω’, and its cognates have been the focus of increasing attention in scholarship on poetry and post-classical reception of Homer in particular. It is now uncontroversial to see in the language of ‘measure’ powerful statements about visual and verbal aesthetics. The term highlights not just a manipulation of, but a control over, Greek culture and its Homeric aspects. The ability to circumscribe, condense, and schematise Homeric narratives is constructed as a wondrous feat, and an expression of mastery and wisdom (‘σοφία’) by those who claim to have done so.56 Archimedes’ opening line, flanked by these key terms, ‘πληθοῦν’ and ‘μετρήσον’, proclaims his manifesto to Eratosthenes. The Homeric ‘πληθοῦν’, imbued with an epic sense of the ‘multitude’ – crucially immeasurable by the poet – contrasts with the very challenge laid down. His command here is more than a mathematical imperative to ‘calculate’, and in many ways it is not really about mathematics at all. In the CP, ‘πληθοῦν’ synecdochically stands in for the epic material and tradition, and specifically its unquantifiability. The first distich signals conditional inclusivity and historical impossibility. Archimedes offers the reader the chance to succeed where the poet fails, employing the concrete tools of mathematics, yet the weight of the epic tradition suggests that this is not guaranteed. Indeed, for the celebrated poet and mathematician Eratosthenes, the gauntlet has certainly been thrown down.

Traditionally conceived as a marker opening a catalogue, ‘πληθοῦν’ operates likewise in the CP. The reader’s expectations are fulfilled by Archimedes’ exposition of the ratios of the cattle, which functions as a ‘catalogue of cattle’. Offering a catalogue in an epigram or elegy, however, might strain our concept of the generic form. At a total of twenty-two distichs, the

\[53\] Purves (2010), 8 makes a similar suggestion.

\[54\] Or they are not concerned in a scientific way at least. For numbers in epic see the meticulous study of Rubincam (2003).

\[55\] It appears only twelve times in the Iliad, four as verse initial.

\[56\] The most recent, illuminating and extensive discussion of this idea can be found in Squire (2011), 102-110 & 247-283.
work ranks as one of the longest extant epigrams.\textsuperscript{57} The command ‘μέτρησον’ also encourages the reader to take account of the work’s size, not only in numerical terms, but the poetic expenditure required. Given the epic form of the opening hexameter and the epic subject matter of ‘πληθύν’, we expect to be measuring in the medium of hexamer. Those expectations are thwarted in the subsequent pentameter, which provides the conditionality of the problem. Combined with the command ‘μέτρησον’, it could be construed as ‘measure these lines of poetry if you are wise enough’; is Archimedes subtly asking us to reflect on his generic play?

To my mind, Archimedes’ elision of the epic and ‘elegiac’ finds its prototype in a fifth century reworking of Homer. The Carian poet, Pigres, recasts Homer in elegiac couplets, inserting, after the first Homer hexameter at least, his own pentameter, producing Μήνιν ἀείδε, θεά, Πηληέδεω Αχιλῆος/Μούσα, σὺ γὰρ πάσης πείρατ’ ἐχεις σοφίς (‘Sing, o goddess, of the anger of Achilles, son of Peleus/Muse, you who possesses the limits of all wisdom’, Pigres fr. 1 West).\textsuperscript{58} Notably, Pigres’ pentameter replies to the hexameter with a consideration of wisdom. The Muse who possesses the limits of all knowledge ‘πάσης πείρατ’ ἐχεις σοφίς’, can be seen as relating the Muse’s knowledge to the Homeric narrative they instigate; they do have ‘mastery’ over Homeric material. In this light, that Archimedes offers the reader even a share in wisdom ‘μετέχεις σοφίς’ concerning the epic ‘πληθύν’, might appear to encroach on the Muse’s domain. If composed in full, Pigres’ reworking would have doubled the length of the epic poem. We may in fact question whether more than the initial couplet was ever composed, or if this was a pointed poetic experiment highlighting the limits of cross-generic composition. Certainly, the first pentameter halts in its tracks Pigres’ project to best Homer: knowledge of the correct compositional and dramatic extent, and the limits thereof, is controlled by the Muse. We have seen already how Archimedes’ mathematical enumeration pushes at the limits of the ‘elegiac’ generic boundary; was this inspired by Pigres’ own generic flexing? Whatever their specific relationship, it is clear that in the CP, ‘μέτρησον’ not only foregrounds the short-footed metrical skip, it sets in high relief Archimedes’ project, and his message to Eratosthenes. The polyvalent ‘μέτρησον’, and the opening couplet more broadly, forces the reader to reflect on Archimedes’ attempt to encapsulate the Homeric Cattle of the Sun. In terms of condensing the epic subject-matter, in analogy to Pigres’ elegiac Iliad, the insertion of pentameters, the transition from epic to elegiac, results in the textual extension of the traditionally shorter elegiac form. If the opening hexameter line alludes to the failure of poets to reckon totally epic material, then the length of the work signals Archimedes’ own failure in compressing and containing epic. In fact, the blurred line between epigram and elegy reinforces this; the relatively recent advent of catalogue elegy represents a generic compromise between the concision of epigram and the expanse of epic.

We might briefly stop to re-consider the final lines of the poem. The condition on which the reader may go (ἔρχεσα) is that they have worked out (συνεξευρήσων), gathered and given an account of (ἀποδοῶν) every measure (τὰ πάντα μέτρα) of the multitudes (πληθύνων) of cattle. Pushing the synecdochic equivalence of ‘πληθύν’ and epic material, Archimedes’ final words can be read meta-poetically. Interpreting μέτρα as ‘verses of poetry’, then ‘give an account of every measure of the multitudes’ can be re-read as ‘give an account of every verse of the multitudes (i.e. the whole of epic)’. This reveals precisely why the conditions of the problem will never be satisfied. As I have argued, enumeration of cattle in this poem is paralleled with

\textsuperscript{57} We may compare it to the equally ambitious inscription found at Salamacis on the history of Halicarnassus, on which most recently see Gagné (2006).

\textsuperscript{58} West (1971), 93. Intriguing, though not to be covered here, is the echo of language from both the Tabulae Iliaceae, especially the ‘δῶις’ (line 30) of the CP and the repeated use of ‘δῶις’ in the inscriptions, as well as in the Eudoxus papyri. For now, see Petrain (2014), 54-9 and Squire (2011), 102-10.
attempting to have a complete knowledge of Homer. There are too many cattle to count; there is too much Homer to know. Archimedes combats Eratosthenes’ hyper-rational mathematical geography by devising this poem which precisely emphasises and embodies the disconnection between culture and any attempts to mathematically and objectively define it.

The architecture of this work, contrary to what the last century of scholarship would seem to suggest, aims to engage with its readers on literary, intellectual and cultural levels. Likewise, the multiple frameworks of reading, and the distance this provides, open up a view of Archimedes’ agonistic poetics aimed at Eratosthenes. The CP works because it problematises scientific and mathematical descriptions of cultural and literary artefacts, especially for Eratosthenes whose rationalising geography sees him strip Sicily of its Homeric past. Most importantly, the poem serves as a corrective to an Alexandrian mal d’archive, and Eratosthenic attempts to claim knowledge of the entire cosmos (he is repeatedly and emphatically a ξείνος, with no ‘real’ knowledge of Sicily). Archimedes beats Eratosthenes at his own game, versifying science in erudite and allusive poetry, offering a scientific expression of the Greek cultural idea of the Cattle of the Sun (not to mention the dimensions of Sicily itself), but with the expressed aim of underscoring the sheer fecundity and immeasurability of the Homeric tradition and Greek culture.

Appendix I

Πρόβλημα ὅπερ Ἀρχιμήδης ἐν ἐπιγράμμασιν εὐρών τοῖς ἐν Ἀλεξανδρείᾳ περὶ ταῦτα πραγματευομένοις ζητεῖν ἀπέστειλεν ἐν τῇ πρὸς Ἐρατοσθένην τὸν Κυρηναῖον ἐπιστολῆς.
The multitude of the Cattle of the Sun calculate, O stranger, and set your mind to it, if you have a share in wisdom, as many as once grazed the plains of Sicily’s Thrinacian island, divided four-ways into groups of differing colours: one milky white, another shining with black hue, while yet another yellow, the last, many-coloured. In each herd were bulls strong in number formed in the following proportions: the white-haired equal a half and third of the black bulls together with the yellow bulls.

But consider, o stranger, that the black equals a quarter share and fifth of the many-coloured and the whole of the yellow besides. Observe how the remaining dappled bulls equal a sixth and a seventh share of the white bulls and the whole of the yellow. With the cows, it was the following: the white-haired were exactly equal to a third and a quarter share of the whole of the black herd: but the black cows again equalled a quarter of the dappled and a fifth share together, when with all the bulls they went to pasture. The many-coloured quartered have an equal number to a fifth and sixth of the yellow-haired herd. The yellow cows numbered equal to a half of a third share of the white herd, and a seventh share.

If, O stranger, you accurately tell how many Cattle of the Sun there are, telling separately the number of well-fed bulls and separately again the number of each cowherd according to colour, you would not be called unskilled or ignorant of numbers, yet nor would you be counted among the wise.

But come, consider all these conditions of the Cattle of the Sun. When the white-haired bulls mix their multitude with the black they stand firmly together, their length and breadth of equal measure, stretching far and wide the plains of Thrinacia were filled with their masses. Again, when the yellow and dappled bulls were herded together they stood, beginning with one, increasing in number

Appendix II
A problem Archimedes devised in epigrams which he sent in a letter to Eratosthenes of Cyrene, to those in Alexandria attempting to work out such things.

This text of Archimedes is from Lloyd-Jones and Parsons (1983), 77-8.
resulting in a three-bordered shape, neither any other coloured bulls among them, nor with any left out.

If, O stranger, having completely worked out in your mind these things, collating and giving an account of every dimension you may go, a victor, and carry yourself proud, knowing that wholly you have been judged ‘well-fed’ in this species of wisdom.\(^{60}\)

Appendix III

\[
\begin{align*}
\text{White Bulls} &= \frac{5}{6} \text{Black Bulls} + \text{Yellow Bulls} \\
\text{Black Bulls} &= \frac{9}{20} \text{Dappled Bulls} + \text{Yellow Bulls} \\
\text{Dappled Bulls} &= \frac{13}{42} \text{White Bulls} + \text{Yellow Bulls} \\
\text{White Cows} &= \frac{7}{12} (\text{Black Bulls} + \text{Black Cows}) \\
\text{Black Cows} &= \frac{9}{20} (\text{Dappled Bulls} + \text{Dappled Cows}) \\
\text{Dappled Cows} &= \frac{11}{30} (\text{Yellow Bulls} + \text{Yellow Cows}) \\
\text{Yellow Cows} &= \frac{13}{42} (\text{White Bulls} + \text{White Cows}).
\end{align*}
\]

Appendix IV

1. White Bulls + Black Bulls = A square number

2. Yellow Bulls + Dappled Bulls = A triangular number

Bibliography


(2009), The Scroll and the Marble: Studies in Reading and Reception in Hellenistic Literature (Ann Arbor).


Bernhardy, G. (1822), Eratosthenica (Berlin).

\(^{60}\) The translation is adapted from Paton (1918).

(1996), *Writing, Teachers, and Students in Graeco-Roman Egypt* (Atlanta).

Gomme, A.W., Andrew, A. & Dover, K.J. (), *A Historical Commentary on Thucydides* (Oxford).
Kim, L. (2010), *Homer Between History and Fiction in Imperial Greek Literature* (Cambridge).