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LEGA-C: Analysis of Dynamical Masses from Ionized Gas and Stellar Kinematics at $z \sim 0.8$

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Abstract

We compare dynamical mass estimates based on spatially extended stellar and ionized gas kinematics ($M_{\text{dyn,*}}$ and $M_{\rm dyn,eml}$, respectively) of 157 star-forming galaxies at $0.6 \le z < 1$. Compared with $z \sim 0$, these galaxies have enhanced star formation rates, with stellar feedback likely affecting the dynamics of the gas. We use LEGA-C DR3, the highest-redshift data set that provides sufficiently deep measurements of a K_s -band limited sample. For $M_{\text{dyn,*}}$, we use Jeans anisotropic multi-Gaussian expansion models. For $M_{\text{dyn,eml}}$, we first fit a custom model of a rotating exponential disk with uniform dispersion, whose light is projected through a slit and corrected for beam smearing. We then apply an asymmetric drift correction based on assumptions common in the literature to the fitted kinematic components to obtain the circular velocity, assuming hydrostatic equilibrium. Within the half-light radius, $M_{\rm dyn,eml}$ is on average lower than $M_{\rm dyn,*}$, with a mean offset of -0.15 ± 0.016 dex and galaxy-to-galaxy scatter of 0.19 dex, reflecting the combined random uncertainty. While data of higher spatial resolution are needed to understand this small offset, it supports the assumption that the galaxy-wide ionized gas kinematics do not predominantly originate from disruptive events such as star formation-driven outflows. However, a similar agreement can be obtained without modeling from the integrated emission line dispersions for axis ratios q < 0.8. This suggests that our current understanding of gas kinematics is not sufficient to efficiently apply asymmetric drift corrections to improve dynamical mass estimates compared with observations lacking the signal-to-noise ratio required for spatially extended dynamics.

Unified Astronomy Thesaurus concepts: Galaxy evolution (594); High-redshift galaxies (734); Galaxy dynamics (591)

Supporting material: machine-readable table

1. Introduction

The dynamical mass of a galaxy is the total mass enclosed within a specific radius as implied by orbital motions of an observable tracer, such as stars, and as such is one of its most fundamental properties. As new generations of telescopes open new windows onto the universe, probing higher redshifts or resulting in more detailed measurements, it is important to understand how different tracers of dynamical mass relate to each other before drawing conclusions on the mass properties of galaxies themselves. The aim of this study is to compare dynamical mass estimates based on the motions of stars with those based on ionized gas motions for galaxies at 0.6 < z < 1.

Dynamical mass can be measured with a variety of tracers. For the Milky Way, the orbital motions can be measured out to

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tens of kiloparsecs from the motions of individual stars (e.g., Eilers et al. 2019). Beyond the Milky Way, arguably the most powerful tool to probe the dynamical mass profile as well as the dark matter fraction of galaxies is the 21 cm line of neutral hydrogen. This type of measurement is only available for studies of the nearby universe. In studies of high-redshift galaxies, dynamics are almost exclusively measured from strong emission lines, most notably from $H\alpha+[NII]$, [OII], or [OIII], probing the region inside 1–2 half-light radii. These lines are due to warm ionized gas and can be measured even when the stellar continuum is too faint to observe. However, the more reliable tracers of dynamical mass are the stellar atomic lines, because, albeit intrinsically complex, unlike gas particles, the motions of stars are not affected by local disruptive events, such as stellar feedback. Additionally, the ionized gas accounts for only a small fraction of the total amount of gas inside galaxies, and its distribution is not necessarily representative of the total mass distribution or kinematically coupled to the other gas components.

The intricacies associated with star formation in galaxies make the interpretation of ionized gas as a tracer of potential well complicated, especially for galaxies with large observed velocity dispersions. In recent years, large spectroscopic highredshift surveys, for example, DEEP2 (Newman et al. 2013), VUDS (Le Fèvre et al. 2015), MOSDEF (Kriek et al. 2015), KMOS^{3D} (Wisnioski et al. 2019), and KROSS (Stott et al. 2016), have capitalized on emission lines originating from ionized gas to better understand the dynamics of thousands of galaxies beyond z > 0.6. One notable result of these surveys is that, at any fixed stellar mass, the galaxy-wide velocity dispersion of the ionized gas in star-forming galaxies has progressively decreased over time since at least $z \sim 3$, whereas the rotational velocities have increased (Law et al. 2009; Epinat et al. 2010; Gnerucci et al. 2011; Epinat et al. 2012; Kassin et al. 2012; Vergani et al. 2012; Green et al. 2014; Förster Schreiber et al. 2014; Wisnioski et al. 2015; Turner et al. 2017; Johnson et al. 2018; Übler et al. 2019). This phenomenon includes a downsizing effect (Kassin et al. 2012), that is, gas in more massive galaxies tends to become kinematically dominated by rotation at earlier times than in lower-mass galaxies and on average has a higher ratio between rotation and dispersion than gas in lower-mass galaxies at the same epoch. Because of this downsizing effect, the fraction of rotationdominated, or dynamically "settled," disks (Kassin et al. 2012) was smaller at high redshift. Another consequence is that, as the average dispersion used to be much higher, dynamical mass estimates require an asymmetric drift correction to take into account the nonnegligible dynamical support from velocity dispersion.

The velocity dispersion may reflect motions that are due to turbulence generated by supernovae feedback (Dib et al. 2006), stellar winds, and/or radiation pressure from OB stars (Mac Low & Klessen 2004, and references therein). In the scenario of self-regulated star formation (e.g., Ostriker et al. 2010; Santini et al. 2017), these feedback-driven motions maintain the disk in hydrostatic equilibrium. Galaxy-wide gravitational processes, such as clump-clump interactions (Dekel et al. 2009; Ceverino et al. 2010), cold gas accretion (Aumer et al. 2010; Elmegreen & Burkert 2010), disk instabilities (Immeli et al. 2004; Bournaud et al. 2010), and minor mergers (Bournaud et al. 2009), will also contribute to the observed velocity dispersion in multiphase gas. In equilibrium, turbulent pressure balances the weight of the rotating gas disk in the background gravitational potential regardless of whether this is a contribution from stellar feedback (Meidt et al. 2018, 2020). The velocity dispersion in the ionized gas in equilibrium would then need to be accounted for with an asymmetric drift correction to the rotational velocity when attempting to trace the potential. In this paper, we refer to all such motions as "gravitational." But when the nonrotational motions are in the form of, for example, outflows, their contribution to the velocity dispersion should not necessarily be expected to obey equilibrium and should not be included in a dynamical mass estimate, unless the total can be decomposed into various equilibrium and nonequilibrium dynamical components. This is nearly impossible at high redshift on subkiloparsec scales; however, for a first attempt using the galaxy-wide velocity dispersion see, for example, Wisnioski et al. (2018). In this paper, we refer to such nonequilibrium motions as "nongravitational."

At low redshift, the kinematic properties of ionized gas disks, that is, their rotational velocities and velocity

dispersions, are consistent with an equilibrium scenario (Levy et al. 2018). At high redshift, the enhanced gas fractions and star formation rates (SFRs) have been associated with observations of strong outflow signatures in the ionized gas (e.g., Rubin et al. 2010; Förster Schreiber et al. 2019). Thus we might expect gas velocity dispersions at earlier epochs to reflect an increased nongravitational component, although it remains a question to what extent this is detectable in galaxy-wide measures of the velocity dispersion typically observed for high-redshift surveys.

Comparison with the dynamics of the underlying (collisionless) stellar disk is a powerful way to recognize whether the ionized gas motions are gravitational or nongravitational in nature. Crespo Gómez et al. (2021) investigated the dynamics of local luminous infrared galaxies (LIRGs), which can be considered local counterparts of the star-forming galaxy population at z > 1. This study found good correspondence between dynamical masses derived from ionized gas, molecular gas, and stars, suggesting that the ionized gas kinematics is also an accurate tracer of dynamical mass at high redshift.

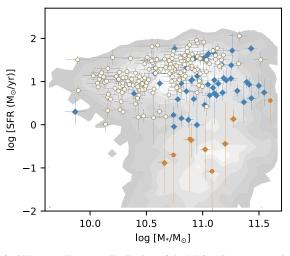
In this paper we compare dynamical mass estimates at 0.6 < z < 1, based on the motions of ionized gas and those measured from the spatially extended dynamical features within the stellar continuum and absorption lines. We use the Large Early Galaxy Astrophysics Census (LEGA-C; van der Wel et al. 2016), which is the first survey to combine sufficient depth and sample size to allow measurements of stellar dynamics of hundreds of galaxies at 0.6 < z < 1. The survey also comprises high signal-to-noise ratio (S/N) measurements of H β , H γ , H δ , [O III]5007, and [O II]3726,3729. The goals of this paper are (1) to cross-calibrate the two widely used tracers, ionized gas and stellar continuum/absorption, for the first time for galaxies at large lookback time and (2) to test the assumption inherent to applying asymmetric drift corrections that kinematics seen in ionized gas reflect some form of equilibrium. We note that the limited spatial resolution of highredshift studies makes it difficult to draw more direct conclusions about the origins of gas turbulence.

In Section 2 we describe the survey, and in Section 3 the sample selection. In Section 4 we describe the methodology used to extract dynamical masses from the motions of stars and ionized gas. In Section 5 we compare these different dynamical mass estimates. In Section 6 we show residual trends with other galaxy properties, and we discuss our results in the context of a gravitational versus nongravitational origin of the ionized gas motions, as well as possible caveats. In Section 7 we provide a summary of this work.

Throughout, we assume a standard Λ cold dark matter cosmology with $\Omega_{\rm M} = 0.3$, $\Omega_{\Lambda} = 0.7$, and $H_0 = 70~{\rm km~s^{-1}~Mpc^{-1}}$, unless otherwise mentioned.

2. Data

We used data from LEGA-C Data Release 3 (DR3; van der Wel et al. 2016, 2021). LEGA-C is an ESO 130-night public spectroscopic survey of COSMOS conducted with VIMOS (Le Fèvre et al. 2003) on the Very Large Telescope. In total, 4209 exceptionally deep, spatially extended slit spectra were taken of 3855 unique sources in the UltraVISTA photometric catalog (Muzzin et al. 2013), primarily chosen from the redshift range $0.6 \lesssim z \lesssim 1$. Typical integration times were 20 hr. The resolution properties of the LEGA-C spectra are $R \sim 3500$ and



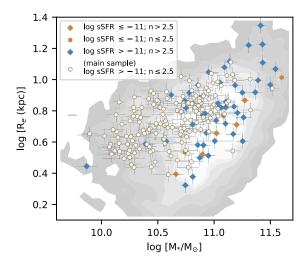


Figure 1. Left: SFR vs. stellar mass distribution of the LEGA-C parent sample (gray contours) and main sample used in this study (yellow dots). Right: half-light radius vs. stellar mass with symbols as in the left panel. In addition to the main sample (N = 157; log sSFR (yr⁻¹) > -11; $n_{\text{Sérsic}} \le 2.5$) we show high Sérsic index star-forming galaxies (blue diamonds), as well as quiescent galaxies with $n_{\text{Sérsic}} > 2.5$ (orange diamonds) and $n_{\text{Sérsic}} \le 2.5$ (orange dots). Due to a lack of detected Balmer emission lines, the quiescent subsample is highly incomplete. The higher Sérsic index star-forming galaxies tend to have lower SFRs than the main sample and include the most massive and largest galaxies of all galaxies that pass the combined criteria. Whereas the LEGA-C survey is close to complete above >10¹⁰ M_{\odot} , due to the requirement of "resolved" rotation curves, the main sample here could be incomplete near that limit.

FWHM = 86 km s⁻¹ (σ = 36 km s⁻¹). The typical integrated S/N of the continuum of a spectrum is 20 Å⁻¹.

Primary targets for LEGA-C are K_s band selected, with limits ranging from $K_s < 21.08$ at z = 0.6 to $K_s < 20.36$ at z = 1.0. These limits are equivalent to a stellar mass limit of $\sim 10^{10} \, M_{\odot}$. We applied a two-step data reduction, using first the ESO and then a custom-built LEGA-C pipeline. The custom pipeline was needed to improve sky subtraction and optimal S/N-weighted extraction of spectra. The reduction process was described in detail in Straatman et al. (2018) and was updated for DR3 in van der Wel et al. (2021). In total, the survey comprises 2942 primary targets with successful redshift measurements.

For each individual spectrum, each row with median S/N > 2 per pixel was fit with Penalized Pixel-Fitting (pPXF) code (Cappellari & Emsellem 2004; Cappellari 2017), using two template sets. These consisted of (1) a collection of highresolution (R = 10,000) single stellar population templates, downgraded to match the resolution of the LEGA-C spectra, with solar metallicity, a Salpeter initial mass function (IMF), and ages in the range 10^{-4} – $10^{1.3}$ Gyr, to fit the continuum (C. Conroy et al. 2022, in preparation), as well as (2) a collection of possible emission lines ([NeV], [NeVI], H10, H9, H8, H δ , H γ , $H\beta$, [OII]3726,3729, [NeIII], [SII]6717,6731, [OIII]5007, [OIII] 4959, [OIII]4363, [NI]) to fit the ionized gas emission. The emission line fluxes were allowed to vary independently from each other. The line widths were allowed to vary between rows in the spectra but were constrained to be the same for all lines at different wavelengths in a single row (see also van der Wel et al. 2016; Bezanson et al. 2018a, 2018b). In this way we obtained one dynamical measurement per row. We derived raw rotational velocities ($v_{\text{rot,pPXF}}$) and dispersions σ_{pPXF} from the line centroids and Gaussian line widths of the best fits, with the C. Conroy et al. (2022, in preparation) templates resulting in constraints on the stellar dynamics and the emission line collection in constraints on the ionized gas dynamics.

Stellar masses and (specific) SFRs ((s)SFRs) were obtained from the UltraVISTA photometry by running the Bayesian inference of star formation histories code Prospector (Leja et al. 2017; Johnson et al. 2019), which includes the affine-invariant Markov Chain Monte Carlo (MCMC) ensemble sampler of Foreman-Mackey et al. (2013), using the spectroscopic redshifts from LEGA-C. The photometric bands used were the Subaru/SuprimeCam r^+ , i^+ , z^+ , B_j , and V_j bands (Capak et al. 2007) and the VISTA Y and J bands (McCracken et al. 2012), complemented with 24 μ m data from Spitzer/MIPS (PI: Scoville), with adjusted zero points (see van der Wel et al. 2021, for details). The Prospector setup was identical to the one used by Leja et al. (2019), including a Chabrier (2003) IMF and a standard cosmology ($\Omega_{\Lambda} = 0.7$, $\Omega_{m} = 0.3$, $H_0 = 70 \, \mathrm{km \, s^{-1} \, Mpc^{-1}}$).

A total of 93% of LEGA-C targets are covered by the COSMOS HST/ACS/F814W mosaic (Scoville et al. 2007). We used GALFIT (Peng et al. 2010) to extract Sérsic profiles of each source. The resulting parameters—half-light radius along the major axis (R_e) , Sérsic index $(n_{\text{Sérsic}})$, magnitude, P.A., and axis ratio (q = b/a)—are included in the DR3 catalog.

3. Sample Selection

Our parent sample consists of all 2608^{12} primary LEGA-C targets with successful spectroscopic redshifts (Z_SPEC > 0) at $0.6 \leqslant z < 1$. The stellar mass versus SFR and effective radius distributions of the parent sample are shown with contours in Figure 1. To this sample we applied a number of cuts, mostly driven by the N–S orientation of the slits, to obtain those sources for which we can reliably derive dynamical masses. We note that we will only use a fraction of the whole survey, as the survey strategy was not optimized to study spatially extended dynamics in star-forming galaxies.

The first cuts were based on dynamical arguments. We cannot detect rotation in face-on galaxies, so we employed a q=0.9 cutoff. We furthermore selected only those galaxies whose major axes are aligned with the N-S slits to within $\Delta P.A. < |45^{\circ}|$. This cutoff is similar to other works in the

 $[\]overline{^{12}}$ There are fewer primary targets with spectroscopic redshifts (2608) than with photometric redshifts (2942) at $0.6 \leqslant z < 1$.

literature (e.g., Weiner et al. 2006). We verified that the formal uncertainties on our results are independent of $|\Delta P.A.|$. We also verified that the ratio between dynamical mass (Section 4) and stellar mass, with the latter determined from photometry and thus unrelated to slit angle, has no trend with $|\Delta P.A.|$. We note that the alignment between the gaseous and stellar components of galaxies can be different: Wisnioski et al. (2015) found 40% and 20% of KMOS^{3D} galaxies at 0.7 < z < 2.7 have such different alignments by $>15^{\circ}$ and >30°, respectively, with the chance of misalignment highest for more face-on orientations, and Harrison et al. (2017) found an average misalignment of 13° for rotationally dominated galaxies at 0.6 < z < 1, but this can only be determined with IFU data. Given the limitations of single-slit spectroscopy, we assume the stellar P.A. is the same as that of the gas and accept that potential misalignments could potentially contribute to the scatter in our results. The limitations of our data mean that this contribution is otherwise unquantifiable within the scope of this work. Finally, we required that the dynamical data be "resolved," that is, that the stellar R_e as measured by GALFIT, as well as the extent of the rotation curves, exceed $0.4 \times$ the point-spread function (PSF) FWHM. These steps reduced the sample to 1011 sources and automatically excluded the 7% of LEGA-C targets outside of the COSMOS HST/ACS/F814W footprint and without data on q, P.A., and R_e .

The sample was further restricted based on morphology. We excluded galaxies with FLAG_MORPH > 0, which are galaxies with irregular morphologies such as merger remnants, multiple galaxies not separated in the spectrum, or galaxies that suffer contamination from a neighbor at a different redshift. We also excluded galaxies with SERSIC_LIMIT > 0, that is, those for which the GALFIT parameters reached their limiting values, for example, $n_{\text{Sérsic}} = 0.2$ or $n_{\text{Sérsic}} = 6$. With these steps we removed a total of 194 additional galaxies from the sample.

The final cuts were based on spectral quality: we selected sources with a continuum $S/N > 10 \text{ Å}^{-1}$ and with at least 3σ $H\beta$ or $H\gamma$ detections. The $H\beta$, $H\gamma$, [O III]5007, and [O II] 3726,3729 lines were visually inspected, and sources were removed that do not have enough coverage between these four lines to be free of significant contamination by skylines. We also removed sources for which the ionized gas emission is clearly dominated by [O II]3726,3729 but where the doublet line ratio is not well determined by pPXF and (part of) the rotation curve is offset to one of the two lines of the doublet. We did not remove sources that appear to have an irregular or clumpy light distribution. Finally, we removed active galactic nuclei (AGNs) from the sample (sources with $FLAG_SPEC > 0$), as in some cases AGNs affected the continuum shape and/or the flux calibration of the LEGA-C spectra (for further details, see van der Wel et al. 2021). This affects but a small number: there are only 85 (3%) AGNs in the parent sample.

The combined cuts resulted in a sample of 221 unique sources, which can be further split into star-forming (log sSFR (yr⁻¹) > -11) or quiescent (log sSFR (yr⁻¹) \leq 11) and high ($n_{\text{Sérsic}} > 2.5$) or low ($n_{\text{Sérsic}} \leq$ 2.5) Sérsic index galaxies; Figure 1). Our main sample consists only of star-forming, low Sérsic index galaxies (log sSFR (yr⁻¹) > -11; $n_{\text{Sérsic}} \leq$ 2.5), comprising N = 157 unique galaxies. The Sérsic index cutoff was applied for consistency with our emission line dynamical mass model (Section 4.2), for which we assume

exponential light profiles. The main sample is furthermore the most representative of the star formation sequence, as can be seen in Figure 1, and less prone to suffer from potential quenching effects. Seven galaxies are duplicates, that is, they are included in more than one mask. For duplicates, we always take a weighted mean of the calculated dynamical quantities.

For both the stars and the ionized gas in the main sample, the typical extent of the rotation curves is $1.5R_e$. For 5% of the sources, the gas dynamical masses within R_e are based on an extrapolation of >20% of best-fit models (see Section 4) to the data. This increases to 75% for $2R_e$. For the stellar dynamical masses, this is 4% and 68%. The statistics mentioned in the remainder of this paper are for 149 (95%) sources with extended rotation curves (<20% extrapolation) at R_e and 40 (25%) sources with extended rotation curves at $2R_e$ for both the gas and the stars.

4. Dynamical Modeling Techniques

We employ different methods to model the stellar and gas kinematics. For the stellar light we use the Jeans anisotropic multi-Gaussian expansion (MGE) models (JAM Cappellari 2002, 2008). For full details of the JAM analysis, we refer to the work of Cappellari (2002, 2008) and for the LEGA-C specific implementation to van Houdt et al. (2021), but we give a summary in Section 4.1. For the emission lines we developed a custom model (Section 4.2.2).

The main focus of this paper is the analysis of the dynamics of ionized gas. We discuss methodology in Section 4.2.2, results in Section 4.2.3, and uncertainties in Section 4.2.4.

4.1. Stellar Dynamical Masses

The stellar dynamical masses are the dynamical mass estimates based on the symmetrized absorption line–based dynamics of the LEGA-C spectra (for details, see van Houdt et al. 2021). They were obtained by fitting Jeans anisotropic MGE models to the stellar rms velocity, based on the stellar line-of-sight dispersions and rotational velocities as measured with pPXF: $\nu_{\rm rms,*} = \sqrt{\nu_{\rm rot,*,pPXF}^2 + \sigma_{\rm *,pPXF}^2}$. The JAM models were based on the Jeans equations, which describe the motions of stars in a gravitational field and take the collisionless Boltzmann equation as a starting point. The Jeans equations were simplified assuming an axisymmetric shape, a Gaussian velocity distribution, alignment of the velocity ellipsoid with the main cylindrical coordinate axes R, z, ϕ , and constant anisotropy, so that $\langle v_R^2 \rangle \propto \langle v_z^2 \rangle$. The equations were solved against the observed $\nu_{\rm rms,*}$ using an MGE of the total mass density profile.

In the analysis of van Houdt et al. (2021) the density profile was parametrized as a sum of two sets of Gaussians: one for the stellar density profile and one for the dark matter profile. They used the single Sérsic fits from GALFIT to the F814W images to generate the Gaussian expansion of the stellar light. Multiwavelength information with sufficient spatial resolution to quantify any M/L gradients is currently not available for the majority of our sample, so they assumed a constant M/L within each galaxy. For the dark matter component they assumed a spherically symmetric Navarro–Frenk–White profile (Navarro et al. 1996) augmented with the relation between halo mass, concentration, and redshift from Dutton & Macciò (2014) to approximate the concentration parameter. We note that the inclusion of a dark matter component serves to account for any

deviation from the assumption that light follows mass. In particular, stellar M/L gradients can be represented by a (negative or positive) dark matter component.

The model has five free parameters: M/L, the virial mass of the dark matter halo M_{200} , the inclination i, the anisotropy parameter $\beta_z \equiv 1 - \langle v_z^2 \rangle / \langle v_R^2 \rangle$, and the slit centering x_0 . The models were convolved with a Moffat kernel with an effective seeing that was determined for each source individually as follows: the kernels were determined by comparing the radial light profiles of the spectra, that is, the part of the galaxy covered by the slit, with models obtained by degrading the high-resolution F814W images and imposing a virtual slit for a range of seeing conditions. If the kernel shape was badly constrained, they set the parameter describing the wings of the Moffat kernel to 4.765 (Trujillo et al. 2001). For each galaxy, the model was optimized using a Bayesian approach, specifically the MCMC implementation of Foreman-Mackey et al. (2013) to sample the posterior probability distribution.

While they found degeneracies between stellar mass and M_{200} , the total dynamical mass was in general well constrained. The best-fit models moreover have a median reduced $\chi^2 = 1.03$.

4.2. Emission Line Dynamical Masses

4.2.1. Data Cleaning

The emission line dynamical masses are the dynamical mass estimates based on the warm ionized gas component of the spectra.¹³ For consistency with the stellar dynamics, we symmetrized the data, pinpointing and excluding outlying data points. We assumed the kinematic centers of the galaxies were the same as their photometric centers, that is, at pixel 40. For each symmetrized data point at radius r_i from the photometric/ kinematic center, we ideally had two data points from the rotation curve. If such a pair was available, we calculated the weighted mean and its corresponding uncertainty. If the difference between the pair exceeded the weighted uncertainty, we replaced the latter by this difference. This was often the case, as the pPXF uncertainties are generally very small. If, however, only one data point from only one side of the rotation curve was available, we kept it but added the median of the differences of all available pairs in quadrature to its pPXF uncertainty. In this way parts of the symmetrized rotation curves that were calculated from only one data point do not appear better constrained, that is, with smaller uncertainties, than those based on pairs. Outliers were flagged after fitting an arctangent or Gaussian to the symmetrized rotation curve or dispersion profile. Data points were considered outliers if the rotational velocity deviated at 20σ significance from the arctangent, if the dispersion deviated at 5σ from the Gaussian, or if a data point deviated at the 4σ level for both rotation and dispersion at the same time. The process, including symmetrization, was repeated iteratively, flagging only one potential outlier at a time, starting with those furthest from the kinematic center, preventing strong influence from potential outliers on the arctangent/Gaussian fits. Furthermore, an outlier was only flagged if it also fulfilled the requirements for fiducial kinematic centers at pixel rows 39 and 41. An example of an outlier can be seen in Figure 2 for the galaxy with source ID:234337. There is a clear outlier from the rotation curve at a distance of $\sim 2''$ from the center (indicated with a red cross).

In Figure 2 we show, for the ionized gas, both the "raw," that is, pPXF-generated, data points (bullets) and corresponding uncertainties, as well as the symmetrized data (open circles). We note that as the kinematic center is fixed at r, $v_{\text{rot}} = (0, 0) \,\text{kpc}$, km s⁻¹, the middle data point of the rotation curve has effectively been removed.

We note that in some cases the kinematic center does not appear to lie exactly at pixel 40. For example, the galaxy with ID:215058 (top panel of Figure 1) exhibits a slight asymmetry between fit and data. We have tried to run fits (see Section 4.2.2 below) with the kinematic center as a free parameter, but it was usually hard to establish whether those results represented the ground truth. In this particular case, the data are affected by the skyline close to the H β line. In other cases, the light profile could be asymmetric, leading to a false detection of an offset from pixel 40. In general, we found that leaving the kinematic center free resulted in better fits for some sources but worse for others. We concluded that we do not have enough information in our data to independently constrain the kinematic center.

4.2.2. Extracting Dynamics from Slit Spectra

Our custom code is based on similar principles as other state-of-the-art algorithms currently used for large surveys, using forward modeling of a 3D disk instead of measuring velocity offsets directly from the sheared emission line, which leads to underestimated rotational velocities, depending on the width of the slit and $|\Delta P.A.|$ (for the latter method see, e.g., Miller et al. 2011; Straatman et al. 2017). It is most similar to the work of Price et al. (2016) and Price et al. (2020), who developed the MisFIT algorithm. Other methods that build from a 3D representation of a galaxy are DYSMAL (Cresci et al. 2009; Davies et al. 2011), $^{3D}BAROLO$ (especially for higher resolution and/or IFU data; Di Teodoro & Fraternali 2015), and GBKFIT (Bekiaris et al. 2016).

It is important to note that our model is not a simulator of galaxy mass in the sense that it would enable a decomposition of the contribution of stellar, gas, and halo components to the observed rotation curve. Another way to describe the functionality is that it provides a more accurate way to account for optical effects than, for example, a direct fit of a convolved arctangent to a rotation curve. The optical effects include beam smearing, slit misalignment, and the mixing of light from different velocity regions captured by wide slits (e.g., 1" for LEGA-C). A simple fit to a rotation curve with a sin *i* factor to correct for inclination and cos | P.A.| factor to correct for slit misalignment will underestimate the rotational velocity by an amount depending on the width of the slit and the size of the galaxies (Di Teodoro & Fraternali 2015; Straatman et al. 2017).

Our code generates a model of a gas disk and a simulated observation with a telescope instrument. The physical properties of the disk (the luminosity profile, the steepness of the rotation curve, and whether the velocity dispersion is uniform) are parametrized with mathematical prescriptions and folded into a data cube. The cube is rotated according to inclination and P.A., integrated along the line of sight, and convolved with a PSF, resulting in a velocity and dispersion map. These can be reduced to an emission line by imposing a virtual slit and further reduced into a rotation curve and dispersion profile.

For this work, we assumed an exponential light profile for the ionized gas in each galaxy. This was motivated as, for

¹³ We note that not all astronomical emission lines originate from ionized gas, for example, in the case of CO and HI, but these are not the target of our current study.

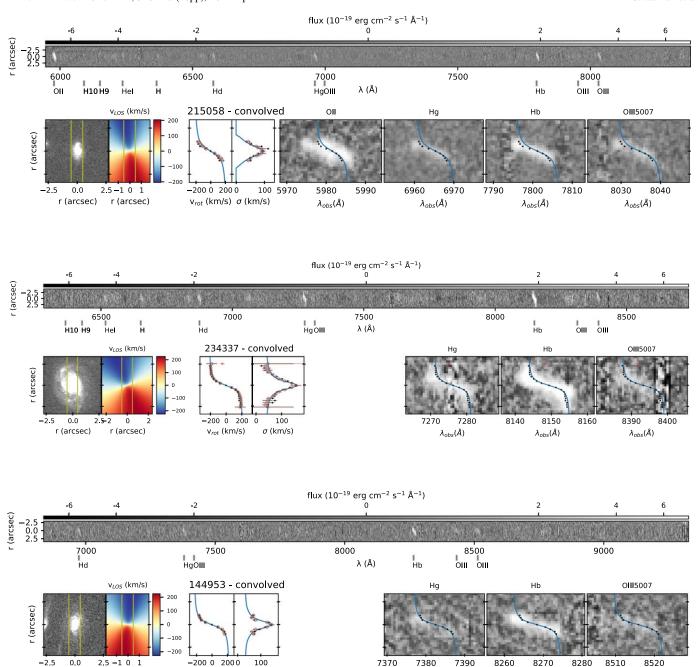


Figure 2. (a) Example fit of ID:215058. Top: continuum-subtracted spectrum with emission lines on an arcsinh scale. Bottom (from left to right): HST/ACS/F814W image with slit (vertical bars); the model line of sight (LOS) velocity field integrated along the line of sight; the pPXF rotation curve (black data points) and symmetrized curve (open symbols) with best-fit model in blue; the pPXF dispersion profile; a zoom-in on the brightest individual emission lines with the pPXF rotation curves and best-fit models. When present, red crosses signify outliers removed from the analysis. (b) Example fit of ID:234337. (c) Example fit of ID:144953.

 $\lambda_{obs}(\mathring{A})$

example, Pizzella et al. (2004) found that the dynamics of gas and stars in nearby galaxies are consistent with the gas residing in a rotationally supported disk. Inclinations were derived from the axis ratios (q) as

r (arcsec)

r (arcsec)

$$\cos i = \sqrt{\frac{q^2 - q_0^2}{1 - q_0^2}},\tag{1}$$

 v_{rot} (km/s) σ (km/s)

and following convention we used $q_0 = 0.19$ (Pizagno et al. 2007), with $q_0 \simeq 0.1$ –0.2 representing the intrinsic flattening of spiral galaxies (Haynes & Giovanelli 1984). Galaxies with

q < 0.19 were assumed to be maximally inclined. The scale lengths of the disks, R_s , were determined from the GALFIT fits to the F814W images—we used $R_s = R_e/1.678$, where R_e is the half-light radius along the semimajor axis. This is the conversion from half-light radius to exponential disk radius in the case of an ideal, infinitely thin disk. We additionally assumed that each disk has an exponential profile in the z direction, with a scale length given by $h_z = 0.19 \, R_s$. We tested the effect of systematically changing R_s to a larger or smaller value than that implied by the stellar light or leaving R_s free in the fit. This did not systematically change our results.

Similarly, we tested implementing the Sérsic profile of the stars but found no significant changes. In general, changes to the light profile are subdominant in the model and act on the few percent level. This is due to the parametric nature of our method. The light profile only acts as a weight on $v_{\rm rot}(r)$ and σ_0 but does not change the dynamical parameters as would be the case for a model with different mass components.

The rotation curves were parametrized as

$$v_{\rm rot}(r) = \frac{2}{\pi} V_t \arctan \frac{r}{R_t},\tag{2}$$

where V_t is the tangential, maximum velocity and R_t is a scaling factor that determines the steepness of the curve. The intrinsic dispersion was parameterized as a constant and isotropic σ_0 , such that the LOS component amounts to $\sigma_0/\sqrt{3}$, irrespective of inclination. The spatial center was not free in the fit but was set to correspond to the peak brightness of the continuum when we symmetrized the rotation curves.

The code assumes a smooth, symmetric light distribution, neglecting potentially clumpy structures or the effects of dust obscuration. It is likely that our results will be affected by this simplification. Recently, Varidel et al. (2019) found lower intrinsic dispersions using a flexible code that corrects for clumpy light profiles for $z \sim 0$ SAMI galaxies compared with models assuming smooth distributions. Our data at $0.6 \leqslant z < 1$ do not have enough resolution to model the true distribution of the gas. A detailed investigation of dust obscuration is also not within the scope of this work as it would reach into the realm of hydrodynamic simulations. Overall, the simplifications underlying the model were tailored to the information in the data and consistent with other works in the literature, thus allowing a clear comparison of their effect against the stellar dynamics.

The absolute luminosity of the model disk was not taken into account, as we fit only the rotation curves and the dispersion profiles. Alternatively, we could have chosen to fit the emission lines directly. However, in most cases the observed light profile is not spatially symmetric, which makes it difficult to determine the kinematic and spatial center. To account for differences in brightness, one can try to match the model light profile to the data on a row-to-row basis after the model emission line has been generated as was done by Price et al. (2016), but this is a similar level of postprocessing as reducing the model emission line to a rotation curve and dispersion profile. Moreover, individual emission lines are often contaminated by skylines, which can be compensated for by taking into account a set of multiple emission lines at the same time, so we prefer to fit directly to the pPXF rotation curves and dispersion profiles.

We used PyMultinest (Buchner et al. 2014) to sample the parameter space of the three free parameters: V_t , σ_0 , and R_t . We set flat priors for V_t and σ_0 , with $V_t \in [-600, 600] \,\mathrm{km \, s^{-1}}$, $\sigma_0 \in [5, 400] \,\mathrm{km \, s^{-1}}$. To counter the effect of beam smearing, we set an exponential prior for R_t with $R_t \in [0.05'', 2.2R_s]$, skewed to give high probabilities for small values (steep slopes). To convolve the LOS (x, y, λ) cubes, we used the same Moffat kernels as were used for the JAM modeling described above.

Examples of convolved data and fits are shown in Figure 2. A more detailed description can be found in the Appendix. The dynamical results $(v_{\text{rot},R_e}, \sigma_0)$ are shown in Table 1. We defer a future analysis of v_{rot,R_e} and σ_0 to a future paper. However, we verified as a sanity check that our ranges of σ_0 values and v_{c,R_e}

values (see Section 4.2.3 below) are in agreement with other literature values at $0.6 \le z < 1.0$ (e.g., Übler et al. 2017, 2019).

4.2.3. Enclosed Mass

To calculate the emission line dynamical masses, we will apply an asymmetric drift correction to the rotational velocity as derived above. We start by assuming hydrostatic equilibrium, so we can write

$$\frac{v_{\text{rot}}(r)^2}{r} = f_g(r) + \frac{1}{\varrho(r)} \frac{dp}{dr},\tag{3}$$

where $\rho(r)$ is the gas density and $f_g(r)$ is the value of the gravitational force; p is a pressure term that consists of a turbulent and a thermal part, that is, $p = \rho(r)(\sigma_r(r)^2 + c_s^2)$, with $\sigma_r(r)$ the radial projection of the velocity dispersion of the gas and c_s the sound speed. The zero pressure rotation curve can be obtained by setting dp/dr = 0 and $V_c(r)^2 \equiv f_g \times r$. Thus we can reduce Equation (3) to

$$V_c(r)^2 = v_{\text{rot}}(r)^2 - \frac{1}{\rho(r)} \frac{d\rho(r)\sigma_r(r)^2}{d\ln r}.$$
 (4)

Here we have ignored thermal pressure, similar to Burkert et al. (2010), as the sound speed is in general much lower than the turbulent velocity. The prime term in Equation (4) represents the asymmetric drift correction.

For a self-gravitating disk with an exponential mass profile and with constant and isotropic $\sigma_r(r) = \sigma_r$, independent of the height above the disk, Equation (4) can be simplified to

$$V_c(r)^2 = v_{\text{rot}}(r)^2 + 2\frac{r}{R_s}\sigma_r^2$$
 (5)

(Spitzer 1942; Binney & Tremaine 2008; Burkert et al. 2010). We now assume that we can replace $\sigma_r = \sigma_0/\sqrt{3}$, taking into account the $\sqrt{3}$ factor used above to correct for the LOS projection of the gas dispersion assuming isotropy. The dynamical mass within a radius r can then be written as

$$M_{\text{dyn,eml}}(< r) = \beta \frac{V_c(r)^2 r}{G} = \beta \frac{(v_{\text{rot}}(r)^2 + k\sigma_0^2/3)r}{G},$$
 (6)

with $\beta = 1$ for a spherical system and $k = 2r/R_s$. Results are shown in Table 1.

We note that this combination of β and k in Equation (6) is misplaced, because a self-gravitating disk is not spherical. However, we show in Section 6.3 that at the resolution of our data, geometrical considerations are subdominant for our estimation of dynamical mass. We also note that at very large radii, the second term of Equation (6) becomes dominant. This is likely to be nonphysical, as the radial dependence of the second term was in this case derived with the density profile of the tracer (ionized gas) in mind, and not the true density profile including stars and dark matter.

4.2.4. Uncertainties

The uncertainties on the dynamic quantities are a combination of the standard deviation of the posterior distribution from the fit, systematics introduced while obtaining the data or during the reduction, and astrophysical assumptions. We performed a test to bring the formal uncertainties from the

Table 1Emission Line Dynamic Quantities

Main Sample $(n_{\text{Sérsic}} \leq 2.5)$						
ID	Radial Extent (")	$v_{\text{rot},R_e} \text{ (km s}^{-1}\text{)}$	$v_{\text{rot},2R_e} \text{ (km s}^{-1}\text{)}$	$\sigma_0({\rm km~s}^{-1})$	$\log \left[M_{\rm dyn,eml}/M_{\odot} \right] R_e$	$\log [M_{\rm dyn,eml}/M_{\odot}]_{2R_{\rm o}}$
27426	0.82	215.2 ± 16.5	225.3 ^b ± 19.4	59.2 ± 15.9	10.74 ± 0.12	11.11 ^b ± 0.17
28012	0.615	192.1 ± 11.1	$203.0^{b} \pm 14.1$	51.0 ± 8.3	10.5 ± 0.09	$10.87^{\mathbf{b}} \pm 0.11$
28512	1.845	231.7 ± 25.9	$247.1^{\text{b}} \pm 35.8$	78.3 ± 9.3	11.03 ± 0.15	$11.43^{\mathbf{b}} \pm 0.23$
28639	0.82	87.1 ± 26.0	$94.5^{b} \pm 30.7$	114.3 ± 7.4	10.39 ± 0.13	$10.93^{\mathbf{b}} \pm 0.13$
28706	0.615	253.6 ± 19.0	$286.4^{\text{b}} \pm 33.8$	58.0 ± 28.1	10.73 ± 0.09	$11.15^{\mathbf{b}} \pm 0.15$
()						
			High n _{Sérsic} Star-	forming Galaxies		
ID	$v_{\text{rot},R_e} \text{ (km s}^{-1}\text{)}$	$v_{\text{rot},2R_e} \text{ (km s}^{-1}\text{)}$	$\sigma_0({\rm km~s}^{-1})$	$\log \left[M_{\rm dyn,eml}/M_{\odot} \right] _{R_e}$	$\log \left[M_{\rm dyn,eml}/M_{\odot} \right]_{2R_e}$	
10462	0.615	89.8 ± 4.9	97.5 ^b ± 9.2	109.1 ± 3.0	10.28 ± 0.06	$10.81^{\text{b}} \pm 0.08$
10902	0.82	$293.9^{a} \pm 10.5$	$298.2^{b} \pm 12.3$	54.9 ± 4.7	$11.4^{a} \pm 0.07$	$11.73^{\text{b}} \pm 0.09$
28945	0.615	394.4 ± 7.5	$412.8^{\mathbf{b}} \pm 7.8$	87.1 ± 9.1	11.08 ± 0.06	$11.44^{\mathbf{b}} \pm 0.06$
28948	0.615	$226.5^{a} \pm 6.0$	$231.1^{b} \pm 6.9$	89.0 ± 8.1	$11.05^{a} \pm 0.06$	$11.42^{b} \pm 0.08$
32934	1.23	$241.4^{a} \pm 16.8$	$247.2^{b} \pm 21.3$	113.4 ± 15.4	$11.34^{a} \pm 0.11$	$11.74^{\mathbf{b}} \pm 0.16$
()						
			Low n _{Sérsic} Qu	iescent Galaxies		
ID	$v_{\text{rot},R_e} \text{ (km s}^{-1}\text{)}$	$v_{\text{rot},2R_e} \text{ (km s}^{-1}\text{)}$	$\sigma_0({\rm km~s}^{-1})$	$\log [M_{\rm dyn,eml}/M_{\odot}]_{R_e}$	$\log \left[M_{\rm dyn,eml}/M_{\odot} \right] _{2R_e}$	
110805	0.82	104.7 ± 30.4	118.8 ± 35.1	252.2 ± 15.1	10.82 ± 0.08	11.4 ± 0.1
145923	1.23	118.1 ± 25.0	$126.8^{b} \pm 25.9$	35.8 ± 25.5	10.41 ± 0.21	$10.81^{\mathbf{b}} \pm 0.21$
200059	1.23	195.2 ± 32.7	$219.9^{b} \pm 53.2$	236.6 ± 8.8	11.39 ± 0.11	$11.92^{\mathbf{b}} \pm 0.15$
215835	1.025	188.5 ± 26.0	$203.8^{b} \pm 34.6$	271.8 ± 8.6	11.2 ± 0.07	$11.75^{\mathrm{b}} \pm 0.09$
			High $n_{\text{Sérsic}}$ Qu	iescent Galaxies		
ID	$v_{\text{rot},R_e} \text{ (km s}^{-1})$	$v_{\text{rot},2R_e} \text{ (km s}^{-1}\text{)}$	$\sigma_0({\rm km~s}^{-1})$	$\log [M_{\rm dyn,eml}/M_{\odot}]_{R_e}$	$\log \left[M_{\rm dyn,eml}/M_{\odot} \right]_{2R_e}$	
87345	1.23	68.1 ± 9.8	72.9 ± 11.7	343.4 ± 4.5	11.16 ± 0.05	11.75 ± 0.06
167044	0.615	223.1 ± 153.4	$245.9^{b} \pm 170.7$	317.4 ± 75.4	11.1 ± 0.2	$11.65^{\mathbf{b}} \pm 0.26$
209377	1.845	75.5 ± 12.8	78.6 ± 13.0	251.3 ± 4.2	10.96 ± 0.05	11.55 ± 0.06
225097	0.615	230.4 ± 18.5	289.4 ± 40.6	120.4 ± 32.2	10.6 ± 0.12	11.13 ± 0.17
237641	1.23	485.3 ± 34.4	$506.3^{b} \pm 40.3$	207.2 ± 17.8	11.69 ± 0.09	$12.08^{b} \pm 0.11$

Notes

(This table is available in its entirety in machine-readable form.)

posterior closer to the actual uncertainties, by comparing duplicate observations of the same sources. The duplicates are observed with different masks but have similarly long integration times and high S/N. Errors in wavelength calibration, acquisition, 14 and spatial offsets 15 between OBs will show up as variance between the duplicate results. There are only seven duplicate sources in our sample, but in Figure 3 we show a more extended sample of 26 duplicates. This extended sample has the following additional properties: sources with FLAG_MORPH >0 or SERSIC_LIMIT >0 are allowed; there are no cutoffs in $n_{\rm S\acute{e}rsic}$, log SFR/M* (yr $^{-1}$), continuum S/N, or H β and H γ flux; and nonprimary LEGA-C targets are also allowed. All of these sources should yield the

same results between observations, even if the resulting dynamical quantity has no added meaning for this study, and can therefore be used to test systematics in the data.

We found from Figure 3 that the errors from the posterior distribution, shown in black, are small compared with the variation between duplicate results, although the errors increase with increasing difference between duplicates. For each quantity we take the standard deviation of the differences between duplicate measurements normalized by the combined uncertainties. If the uncertainties were representative of the true uncertainty, the distribution of these normalized differences would have a standard deviation of 1. For under- (over-) estimated errors, the distribution would have a proportionally larger (smaller) standard deviation. Therefore we can use the obtained standard deviation as a correction factor. The corrected uncertainties are shown in Figure 3 as thick gray error bars. We note that the distribution of the differences between duplicates depends on whether a duplicate is assigned to the x-axis or the y-axis. Therefore we randomly shuffled the

^a Limited spatial extent for either gas or stars (radial extent $< 1.2 R_e$).

^b Limited spatial extent for either gas or stars (radial extent $< 1.2 \ 2R_e$).

¹⁴ Introduced during *observing* by imperfect alignment of the slit onto the source. Note that for the JAM models (Section 4.1) the slit centering was included as the free parameter x_0 .

¹⁵ Introduced during *reduction* when spectra from different OBs were coadded after determining their spatial centers with a Moffat light profile (Straatman et al. 2018).

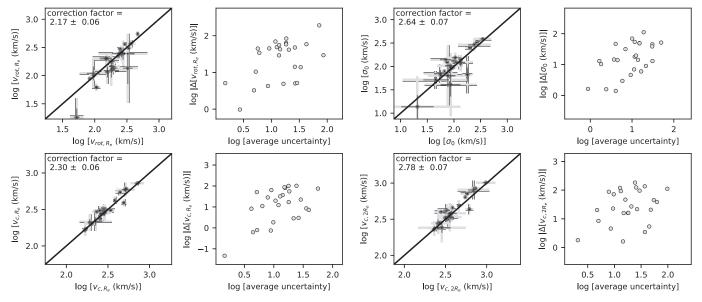


Figure 3. Comparison of dynamical measurements of 24 duplicate sources. The uncertainties obtained from the posterior are shown as thin black error bars in the first of each pair of panels. The absolute differences between duplicate results are proportional to their average uncertainties (prime panel of each pair). We normalized the differences by the combined uncertainties and obtained the standard deviation for each variable. The standard deviation is the correction factor needed to make the error bars consistent with the scatter between duplicates and is printed at the top of each first panel. The corrected uncertainties are shown as thick gray error bars.

duplicates between the x- and y-axis $1000 \times$ and took the median standard deviation as the final correction factor. The correction factors are printed in each panel.

The median error after applying the correction on v_{c,R_e} is 19 km/s. This encompasses random errors and systematics in the data but does not take into account systematics in the model. We discuss this in Section 5. For the remainder of the paper we apply the correction factor to the uncertainties on the emission line dynamical quantities.

5. Comparison of Dynamical Masses

In this section we compare the stellar and gas dynamical masses. These are not entirely independent measurements, as they are coupled through the Sérsic and pPXF fits, although for the pPXF fits the line centroids of the stellar and emission line components are fit independently. The key to this study is that the stellar light and emission lines are physically different tracers and that the dynamical models are different in nature and rely on different assumptions. While dynamical masses of distant galaxies have been measured from emission lines in many studies, this is the first time that we are able to validate current methods against stellar dynamical masses.

In the top panel of Figure 4 we compare the dynamical masses of the main sample within R_e and $2R_e$. We calculated the median offset $\Delta[\log M] = \log [M_{\rm dyn,eml}/M_{\rm dyn,*}]$ and average galaxy-to-galaxy scatter $\sigma(\Delta[\log M])$. We found that on average $\log [M_{\rm dyn,eml}/M_{\odot}]$ is 0.15 ± 0.016 dex lower within R_e than $\log [M_{\rm dyn,*}/M_{\odot}]$. We also found an average galaxy-to-galaxy scatter of 0.19 dex. Within $2R_e$, the different mass estimates of the much smaller subsample of sources are in agreement, but with a large formal uncertainty of 12% on the offset and a galaxy-to-galaxy scatter of 0.3 dex.

It is clear from Figure 4 that the formal uncertainties on $\log [M_{\rm dyn,*}/M_{\odot}]$ are larger than on $\log [M_{\rm dyn,eml}/M_{\odot}]$: a median of 0.23 dex versus 0.075 dex. van Houdt et al. (2021) found from a duplicate test that the uncertainties on their mass estimates were on average 50% larger than the scatter between

the duplicates, indicating they might be overestimated due to the large flexibility of the JAM model provided by the inclusion of a dark matter component. However, the duplicate test only takes into account the random component of the uncertainty but not systematics introduced by, for example, the GALFIT model. They concluded that as the duplicate measurements are not independent, for example, because the same size was used for duplicate mass estimates, it was best to use a conservative estimate and not apply the duplicate correction. While the dynamical mass measurements here are not entirely independent either, as the same Sérsic model was used for both, we are in a slightly better position to account for systematics between the different models. The combined random uncertainty on a dynamical mass measurement with LEGA-C is 0.19 dex (see $\sigma(\Delta[\log M])$) in the top left panel of Figure 4). From the duplicate test of van Houdt et al. (2021) it follows that the random component of the uncertainty on the stellar dynamical mass is 0.23/1.5 dex. Taken together, this leaves $\sqrt{0.19^2 - (0.23/1.5)^2 - 0.075^2} = 0.083$ dex of uncertainty due to systematics related to the choice of modeling.

We note that part of the variance in $M_{\rm dyn,*}$ is due to the broad inclination prior used for the JAM models, irrespective of whether the galaxies are disks or ellipticals. As the galaxies in this study have been selected to have $n_{\rm S\acute{e}rsic} < 2.5$, there is a probability that the inclination was underestimated for those seen face-on, leading to underestimated rotational velocities and dynamical masses. For the emission line dynamical masses, on the other hand, we derived inclinations while explicitly assuming the galaxies are disks. Therefore we would expect a number of galaxies with underestimated log $[M_{\rm dyn,*}/M_{\odot}]$ and overestimated log $[M_{\rm dyn,eml}/M_{\rm dyn,*}]$. Indeed we found that 59% of galaxies with log $[M_{\rm dyn,*}/M_{\odot}] < 10.5$ have axis ratio q > 0.8.

Our main sample is limited to low Sérsic index galaxies; however, there are 47 star-forming galaxies with $n_{\text{Sérsic}} > 2.5$ that pass our selection criteria, of which 37 have extended rotation curves reaching R_e . For clarity, all sources that pass the criteria but do not belong to the main sample are shown in the

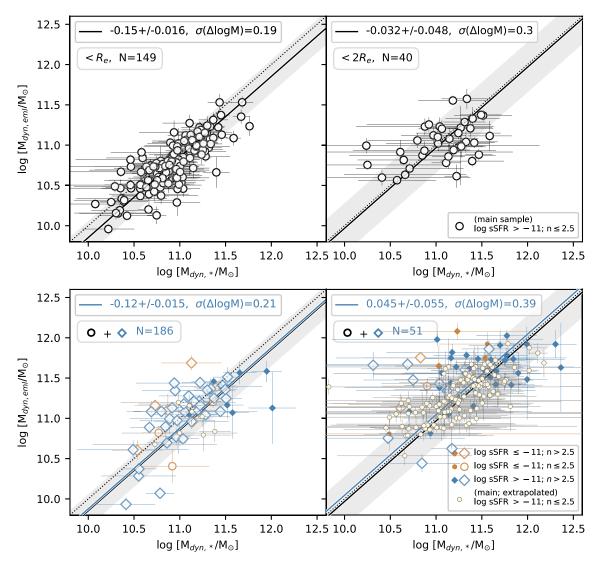


Figure 4. Top panels: main result. We show the stellar dynamical mass (x-axis) vs. the emission line dynamical mass within R_e (left panel) and $2R_e$ (right panel) of 149 and 40 sources with extended rotation curves (<20% extrapolation of the models), respectively. On average, the emission line dynamical mass is smaller by 0.15 \pm 0.016 dex than the stellar dynamical mass within R_e , with a galaxy-to-galaxy scatter of 0.19 dex, which reflects the combined random uncertainty on dynamical mass. Within $2R_e$, the gas dynamical masses are in good agreement, but with a larger scatter of 0.3 dex. Bottom panels: sources not included in the main sample. We show high Sérsic index star-forming galaxies with extended rotation curves with open blue diamonds and high and low Sérsic index quiescent galaxies with open orange diamonds and circles, respectively. Sources with limited spatial extent (>20% extrapolation of the models), including those of the main sample, are shown with smaller, filled symbols. High Sérsic index star-forming galaxies have somewhat higher emission line dynamical masses. However, an analysis of all star-forming galaxies with extended rotation curves (N = 186 at R_e and N = 51 at $2R_e$) results in similar offsets and scatter (blue text in legend).

bottom panels of Figure 4, including sources with limited spatial extent. The high Sérsic index star-forming galaxies (blue diamonds) tend to have somewhat larger emission line dynamical masses, with an average offset of -0.026 ± 0.040 dex and scatter of 0.24 dex. However, our main result is not strongly biased by the exclusion of these sources: the average offset of all 186 star-forming galaxies with extended rotation curves is -0.12 ± 0.015 , with a scatter of 0.21 dex.

There are only 11 high Sérsic index star-forming galaxies with extended rotation curves reaching $2R_e$. For this sample, the average offset is 0.33 ± 0.16 dex with a scatter of 0.53 dex. For the sample of all 51 star-forming galaxies with extended rotation curves to within $2R_e$, the average offset is 0.045 ± 0.055 dex with a scatter of 0.39 dex, again similar to the main sample.

It has to be noted that the measured dynamical quantities suffer less from seeing effects at $2R_e$ than at R_e . The agreement between the estimates of the dynamical masses within $2R_e$ is, however, likely accidental and due to the adopted uniform, dispersion profile. The value of σ_0 is assumed to be the same at radii of R_e and $2R_e$ but is more heavily weighted for emission line dynamical mass estimates evaluated within $2R_e$ (Equation (6)). This effect is stronger than the flattening of the rotation curve between R_e and $2R_e$ and leads to relatively larger emission line dynamical masses with increasing radius. It explains the large positive offset for the 11 high Sérsic index star-forming galaxies with extended rotation curves reaching $2R_e$, as these galaxies tend to have larger σ_0 . The large scatter between the dynamical mass estimates within $2R_e$ (0.3 dex, compared with 0.19 for R_e) also implies that the lack of an

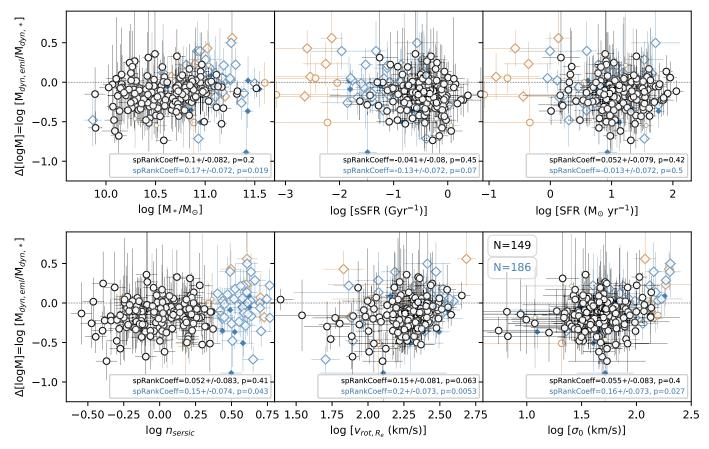


Figure 5. The ratio between the two dynamical mass estimates ($\log [M_{\rm dyn,eml}/M_{\rm dyn,*}]$) within R_e as a function of (from left to right and top to bottom) stellar mass, sSFR, SFR, Sérsic index, $v_{\rm rot,}R_e$, and σ_0 . The symbols are the same as in Figure 4. We found no significant correlations for galaxies in the main sample, suggesting no strong deviations from hydrostatic equilibrium (see main text). When including high Sérsic index star-forming galaxies, we found correlations (blue text in legends) with $n_{\rm Sérsic}$, $v_{\rm rot,}R_e$, and σ_0 . Including these galaxies additionally results in correlations with stellar mass and sSFR, which is then likely a selection effect.

offset does not necessarily reflect a better agreement. Data of higher spatial resolution are needed to better understand the dynamics of both gas and stars within R_e and $2R_e$.

Taken together, the small, negative offset of the average $\log \left[M_{\rm dyn,eml} / M_{\rm dyn,*} \right]$ within R_e and the negligible difference within $2R_e$ indicate a good correspondence between the emission line and stellar dynamical masses. This finding has direct implications for mass studies of the distant universe: we now have a better understanding of how biased emission line dynamical masses likely are in the absence of expensive continuum observations. For a discussion on the accuracy of the stellar dynamical masses, see Section 6.3. The similarity between the different dynamical mass estimates, where for the emission line dynamical mass we assumed the gas is in hydrostatic equilibrium, suggests there is little room for strong deviations from equilibrium dominating the galaxy-wide velocity dispersion. The main conclusion of this paper is therefore that we do not see strong evidence for increased line widths due to nongravitational motions. In Section 6 we will look for residual trends between the mass offsets and other galaxy properties (Section 6.1), compare with dynamical masses that can be obtained without modeling from the dispersion of spatially integrated emission lines (Section 6.2), and discuss potential caveats on our derivation of both the emission line and stellar dynamical masses (Section 6.3).

6. Discussion

6.1. Residual Trends with Other Galaxy Properties

In Figure 5 we show $\log [M_{\rm dyn,eml}/M_{\rm dyn,*}]$ within R_e as a function of stellar mass, sSFR, SFR, Sérsic index, v_{rot,R_e} , and σ_0 . We calculated the Spearman's rank correlation coefficient ("spRankCoeff" in Figure 5) for each parameter versus $\log \left[M_{\rm dyn,eml} / M_{\rm dyn,*} \right]$ for the main sample of galaxies with extended rotation curves as well as for the sample including high Sérsic index star-forming galaxies. We do not find any significant correlations (p < 0.05) between log [$M_{\rm dyn,eml}/M_{\rm dyn,*}$] and these parameters for the galaxies in the main sample. Especially interesting is the lack of correlation with SFR, as outflows are often invoked as an explanation for the higher average intrinsic dispersions of the ionized gas in high-redshift galaxies. Förster Schreiber et al. (2019) found that the incidence of star formation driven outflows correlates with the offset from the SFR-mass relation for star-forming galaxies. If the effect of such outflows dominated the emission line dispersions, we would expect to overestimate the dynamical masses and find a positive correlation of log $[M_{\rm dyn,eml}/M_{\rm dyn,*}]$ with SFR. Genzel et al. (2011) showed that outflows can arise from individual clumps or star-forming regions within galaxies at $z \sim 2$ but that these do not affect the galaxy-integrated dispersion. Bassett et al. (2014) similarly found that the dispersions of the ionized gas and the stars in two $z \sim 0.1$ galaxies are well matched, indicating that the ionized gas

turbulence, which would otherwise have resulted in comparatively high dispersions, is not dominated by nongravitational motions caused by stellar feedback in the form of stellar winds or supernovae. At higher redshift, Übler et al. (2019) found that the measured velocity dispersions were consistent with being primarily driven by gravitational instabilities, with only a subdominant contribution from stellar feedback. In general, the lack of a correlation with sSFR that we see in this study implies that the kinetic energy of the ionized gas represents dynamical equilibrium with the gravitational potential.

In addition to the variables shown in Figure 5, we investigated potential correlations with SFR surface density, R_e , redshift, continuum S/N, axis ratio, and P.A. We did not find significant correlations for any of these parameters. However, if we include the high Sérsic index star-forming galaxies, we found modest correlations with stellar mass, Sérsic index, v_{rot,R_e} , and σ_0 . The higher $n_{\text{Sérsic}}$ galaxies in some cases appear to follow the light profile of the stars with luminous central regions with large dispersions and so tend to have larger σ_0 , introducing a correlation that is not necessarily representative of the population. The correlations with stellar mass and sSFR are likely selection effects, as the higher $n_{\text{Sérsic}}$ galaxies include the most massive galaxies.

As a final remark we note that these results are limited to a particular mass $(10^{10} M_{\odot} \lesssim M \lesssim 10^{11.5} M_{\odot})$ and redshift range $(0.6 \leqslant z < 1)$. Lower-mass galaxies are on average more dispersion dominated (e.g., Kassin et al. 2012; Wisnioski et al. 2015; Price et al. 2020) or more susceptible to mass loss through outflows. The incidence of AGNs with visible broad line components increases toward $\sim 70\%$ at $>10^{11} M_{\odot}$ (Förster Schreiber et al. 2019), but the potential effect on dynamical mass is not investigated here. At higher redshift, the fraction of irregular galaxies increases, as well as the average velocity dispersion of star-forming galaxies (e.g., Kassin et al. 2012; Wisnioski et al. 2015; Übler et al. 2019; Price et al. 2020).

6.2. Emission Line "Virial" Masses

So far we have investigated the validity of dynamical mass estimates that can be obtained if the data are sufficiently deep and spatially extended. For fainter sources or shorter integration times, dynamical masses can be calculated from the dispersion of the spatially integrated emission lines: $\sigma'_{g,\text{int}}$. Using DR2 of LEGA-C, Bezanson et al. (2018b) showed that the integrated dispersions of the ionized gas and the stars at $z \lesssim 1$ are in good average agreement, with a 0.13 dex intrinsic scatter. This would suggest a \sim 0.24 dex uncertainty on dynamical masses based on $\sigma'_{g,\text{int}}$. We can now test how well these "virial" masses correspond using the spatially extended stellar dynamics.

We use the following definition for virial mass:

$$M_{\text{vir,eml}} = \beta(n) \frac{{\sigma'}_{g,\text{int,corr}}^2 R_e}{G},$$
 (7)

where $\beta(n)$ is the analytical approximation for the virial coefficient by Cappellari et al. (2006):

$$\beta(n) = 8.87 - 0.831n + 0.0241n^2, \tag{8}$$

which we note is originally valid for spherical, isotropic distributions, and $\sigma'_{g, \text{int, corr}}$, the inclination-corrected dispersion

following J. van Houdt et al. (2022, in preparation):

$$\sigma'_{g,\text{int,corr}} = \sigma'_{g,\text{int}} (0.87 + 0.39e^{-3.78(1-q)}).$$
 (9)

The correction was based on the stellar dynamics while using a more complete sample from LEGA-C including more quiescent galaxies, but there was no clear difference between high and low Sérsic index galaxies. Assuming the stellar light reflects most of the mass profile within R_e and accounts for half of the total within that radius, we expect that $M_{\rm dyn,*}(R_e) \simeq 0.5~M_{\rm vir,eml}$.

In the top panels of Figure 6 we compare the emission line-based virial masses to the JAM results. The discrepancy between the uncertainties on these two quantities is formal: the half-light radius (R_e) and integrated dispersion ($\sigma'_{g,\text{int}}$) are well determined, even with a duplicate factor included (Straatman et al. 2018; van der Wel et al. 2021), whereas the JAM models are marginalized over multiple parameters. We found the following statistics: an offset of -0.077 ± 0.018 dex, with a scatter of 0.22 dex. If we adopt $n_{\text{Sérsic}} = 1$ in Equation (8), because we did so for the emission line model, we find a similar offset and scatter of -0.072 ± 0.018 dex and 0.21 dex, respectively.

There is a tail of galaxies at the low-mass end with $M_{\rm dyn,*}$ (R_e) > 0.5 $M_{\rm vir,eml}$. Upon further inspection we found a trend with axis ratio (top right panel). The galaxies at the low-mass end constitute the most face-on galaxies in the sample. The median q for galaxies with 0.5 $M_{\rm vir,eml}$ < 10.5 is q=0.83. The virial masses of these galaxies could be underestimated if no correct inclination correction is applied. If we consider only galaxies with q<0.8, we found an offset of -0.056 ± 0.020 dex, with a scatter of 0.21 dex.

In the bottom panels of Figure 6 we compare the virial masses to the extended emission line dynamical masses instead of the JAM results. The offset is 0.07 ± 0.012 dex, with a scatter of 0.14 dex (0.11 \pm 0.012 dex and 0.12 dex for q < 0.8galaxies). The smaller scatter indicates that $\sigma'_{g,int}$ corresponds better to v_{c,R_a} measured from the same emission lines than from the JAM models. From the bottom right panel we also note a residual trend with q. These trends indicate that the correction of J. van Houdt et al. (2022, in preparation) is not strong enough for many galaxies with high q, suggesting the ionized gas exhibits flatter morphologies than the stars. We tested this assuming thinner disks by varying q_0 in Equation (1) but found no change in our results. Our data are not sufficiently resolved to test this further. IFU data, which have more extended spatial coverage, have better potential to investigate the morphology of the ionized gas. We note, however, the residual dependence could in part be a selection effect from not including quiescent galaxies. We investigated this by reproducing the top right panel of Figure 6 with the original estimator $M_{vir,*}$ of J. van Houdt et al. (2022, in preparation). This is not shown here, but we essentially reproduced their Figure 2, except limited to our main sample. While we found less strong outliers, we did find a bias toward those galaxies with low $M_{\rm vir,*}/M_{\rm dyn,*}$ at high axis ratio, compared with the full sample of J. van Houdt et al. (2022, in preparation) including quiescent galaxies.

The correspondence between the emission line virial masses and the stellar dynamical masses, especially for q < 0.8 galaxies, is remarkable, since no extra modeling was done. However, we can turn this fact around and conclude that even though modeling of spatially extended rotation curves might lead to more accurate rotational velocities and intrinsic

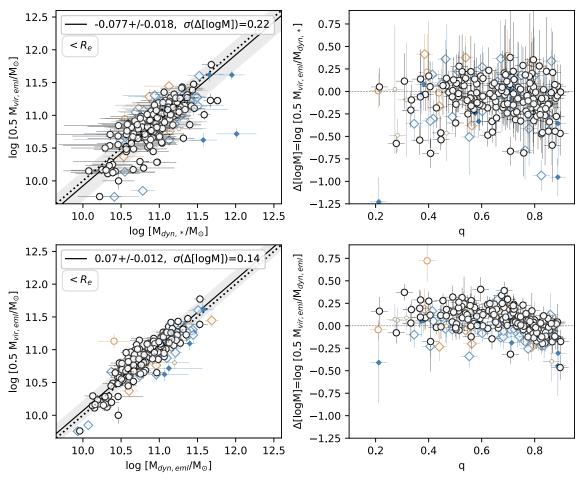


Figure 6. Top left: a comparison of the virial masses and the stellar light dynamical masses within R_e . The virial masses are based on the dispersion of the spatially integrated emission lines corrected for inclination ($\sigma'_{g,\text{int,corr}}$). The low-mass outliers are mostly face-on disks. Top right: a clear dependence on axis ratio is visible, but in general accurate dynamical masses can be obtained from $\sigma'_{g,\text{int,corr}}$ if the axis ratio q < 0.8. Bottom left: a comparison of the virial masses and the emission line dynamical masses. This relation is tighter as the same dynamical tracer was used. Bottom right: dependence of mass offset on axis ratio. The inclination correction on $\sigma'_{g,\text{int}}$ was derived based on the stellar dynamics by J. van Houdt (2022, in preparation). The residual trend suggests that the ionized gas exhibits a flatter morphology than the stars.

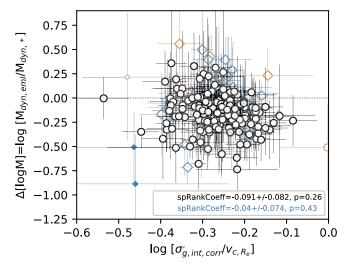


Figure 7. The ratio between the two dynamical mass estimates (log $[M_{\rm dyn,eml}/M_{\rm dyn,*}]$) as a function of $\sigma_{\rm g,int,corr}'/\nu_{c,R_e}$. There appears to be a trend, which is not significant, between log $[M_{\rm dyn,eml}/M_{\rm dyn,*}]$ and $\sigma_{\rm g,int,corr}'/\nu_{c,R_e}$. The virial masses based on $\sigma_{\rm g,int,corr}'$ show a similar correspondence to log $[M_{\rm dyn,*}/M_{\odot}]$ as the modeled emission line dynamical masses, so this result may indicate there is space left to improve ν_{c,R_e} with a better understanding of pressure support in the gas.

dispersions, this is negatively balanced by the assumptions that go into Equation (5). If there is room for improvement on v_c , there should be a trend between $\sigma'_{g,int}/v_{c,R_e}$ and log $[M_{\rm dyn,eml}/M_{\rm dyn,*}]$, as deviations of v_c relative to $\sigma'_{g,\rm int}$ should lead to deviations in emission line dynamical mass. In Figure 7 we show that there is such a trend, although it is not significant. This trend is not driven by axis ratio, as it is still present after applying the correction of J. van Houdt et al., (2022, in preparation). We note it may be possible that the use of long slit data limits the accuracy of our estimates of v_{rot,R_a} and σ_0 compared with what can be achieved with integral field unit (IFU) data. We verified in Section 4.2.2 that the range of our dynamical results (e.g., σ_0) is not systematically biased compared with other works. We therefore expect that a significant step forward in our understanding can be obtained by using high-resolution data to measure, for example, dispersion gradients in perhaps more local galaxies.

6.3. Caveats on the Models

In this study we have assumed that σ_0 is uniform and isotropic. The analytical implication is that the vertical scale height of a disk increases exponentially with radius, because we have presumed that the mass profile follows that of the

tracer ionized gas to obtain Equation (5). Disk flaring has been found for nearby galaxies (e.g., Bacchini et al. 2019), but we note that the flaring implied in Equation (5) $(h \propto e^{r/R_s})$, where h is the scale height of the disk) is probably more severe than reality. It is also reasonable to assume the situation in most galaxies is more complex, with local or global dispersion gradients. Furthermore, our current prescription for pressure support is based on the assumption of a self-gravitating, smooth (no clumps), exponential disk. In reality, the morphology of a galaxy is more complicated. This is illustrated in recent studies of the IllustrisTNG and VELA simulations (Wellons et al. 2020 and Kretschmer et al. 2021, respectively). Kretschmer et al. (2021) found that the central and dark matter components of the galaxy system effectively imply lower values of k. This would introduce an offset at $2R_e$ and a stronger offset at R_e in Figure 4. Wellons et al. (2020) as well as Kretschmer et al. (2021) also found that corrections from anisotropic and nonconstant dispersions, as well as from nonspherical potential wells, should be taken into account, but this is simply not possible with the current data. Our current prescription is very similar to those of Wisnioski et al. (2018) and Price et al. (2020), who use factors of $\beta = 1.09^{-1}$ and $\beta = 1.064$, respectively, to account for deviations from the spherical case.

To further investigate the effect of geometry, we may replace Equation (6) by one based on a razor-thin disk morphology:

$$M_{\text{dyn,eml}}(< r) = \frac{V_c(r)^2 R_s}{2y^2 GB(y)} \left[1 - e^{-r/\text{Rs}} \left(1 + \frac{r}{\text{Rs}} \right) \right],$$
 (10)

where $B(y) = [I_0(y)K_0(y) - I_1(y)K_1(y)]$, I_n and K_n are modified Bessel functions, and $y = 0.5R/R_s$ (Binney & Tremaine 2008). We found that this produces an offset at R_c , slightly more negative, but consistent with our fiducial result, of $\log \left[M_{\rm dyn,eml}/M_{\rm dyn,*} \right] = -0.17 \pm 0.016$. This is expected, as the gravitational force is stronger in a disk/ring geometry than for nested spherical shells, resulting in a lower dynamical mass for a given V_c . We conclude from this exercise that the correspondence between the two dynamical mass estimates depends more strongly on the assumptions leading to V_c than on the adopted geometry.

Our results are in agreement with those of Crespo Gómez et al. (2021), who found $M_{\rm dyn,eml}/M_{\rm dyn,*}=1.0\pm0.3$, comparing ionized gas and stellar kinematics of the inner 1–2 kpc of local LIRGs, and who also found that β would not affect their results within the uncertainties.

Throughout this work we used the stellar dynamical masses as a benchmark to test whether high-redshift emission line—based dynamical masses are accurate. There are several caveats. In the JAM models, a separate gas component was not included. The invisible mass, gas and dark matter, is represented by the Navarro–Frenk–White component, whose actual distribution is not constrained by the data. The stellar mass component, on the other hand, is comparatively well constrained, except for the assumption of a constant M/L ratio, but there may still be additional uncertainties due to the stellar population models and IMF assumed. More importantly, despite the high-continuum S/N of the data, the spatial resolution is limited. Bars and spiral arms are not resolved as they would have been for IFU data of nearby galaxies.

Nevertheless, large systematic uncertainties due to model choice appear unlikely. Leung et al. (2018) have shown that the stellar v_{c,R_e} corresponds to within 10% to the rotational velocity

of molecular gas for $z \sim 0$ S0-Sd galaxies, using three different methods, including Jeans modeling and an asymmetric drift correction such as we applied here to the ionized gas.

The -0.15 ± 0.016 dex difference that we found at R_e will partly be driven by the choice of JAM modeling versus the more simple pressure correction that we applied for the gas. To understand this better, applying a similar dynamical mass comparison to the latest generation of IFU studies (SAMI, ATLAS3D, CALIFA) can shed more light on understanding the high-redshift results presented here, and help trace systematics.

We opted to do this comparison at z>0.6 as gas turbulence appears to play an increasing role in gas dynamics at high redshift. The implicit assumption is that pressure corrections do not play a significant role at $z\sim0$, where dynamical masses and scaling relations, such as the Tully–Fisher relation, are built directly from rotational velocity. For example, Pizzella et al. (2004), Bassett et al. (2014), and Crespo Gómez et al. (2021) showed that the rotation curves and dispersion profiles for the stellar and ionized gas component in nearby spirals, LIRGs, and $z\sim0.1$ galaxies are different, with higher rotational velocities for the gas and higher dispersions for the stars, indicating a potentially subtle effect for asymmetric drift corrections. We defer a comparison of $v_{\rm rot}/\sigma_0$ between the two tracers to future work.

Finally, even if the stellar and emission line dynamical masses are in agreement, they could still suffer from the same, potentially unknown, systematics, perhaps related to beamsmearing effects.

7. Summary

In this paper we leveraged the ultradeep LEGA-C survey to calculate and compare the dynamical masses of a sample of 157 star-forming galaxies at 0.6 < z < 1 with two different physical tracers: the emission lines from the ionized gas and the continuum and absorption lines from the stars. Out of the main sample, 5% and 75% have limited spatial extent beyond R_e and $2R_e$, respectively. We calculated statistics for the subset of 149 and 40 sources with extended rotation curves within each radius, respectively.

The main result is that emission line–based dynamical masses, derived with recent common methodology, are on average underestimated compared with stellar light–based dynamical masses: we derived an offset of log $[M_{\rm dyn,eml}/M_{\rm dyn,*}] = -0.15 \pm 0.016$ dex for the enclosed mass within R_e (149 sources). Within $2R_e$, the majority of the mass estimates are based on sources with limited spatial extent, but we found good agreement between emission line and stellar dynamical mass: log $[M_{\rm dyn,eml}/M_{\rm dyn,*}] = -0.032 \pm 0.048$ dex (40 sources). Even though we excluded high Sérsic index $(n_{\rm Sérsic} > 2.5)$ star-forming galaxies from the main sample, we found similar results if those sources were included. Quiescent galaxies are not well represented by our data.

We hypothesized in the introduction that the kinematics of the ionized gas reflect some form of equilibrium, so we could apply an asymmetric drift correction using the solution for a self-gravitating disk in hydrostatic equilibrium with an exponential mass profile. The near correspondence between the stellar and emission line dynamical masses and lack of residual trends with other galaxy properties indicate there is indeed little room for increased line widths due to nongravitational motions.

We derived similar offsets for virial masses based on spatially integrated velocity dispersion $(\sigma_{g,\mathrm{int}}')$ with an average offset of -0.077 ± 0.018 dex and scatter of 0.22 dex, compared with the stellar dynamical masses. This indicates that at similar resolution to our data, even after modeling spatially extended rotation curves, dynamical mass estimates based on an asymmetric drift correction are still too dependent on assumptions to be significantly more accurate. This may be relevant for future studies not specifically aimed at detailed dynamical properties, for example, large shallow surveys probing the distant universe. Keeping in mind the caveat that the good correspondence between dynamical mass based on $\sigma'_{g,int}$ and stellar dynamical mass is specific for this study and cannot be directly extrapolated to higher redshift, such studies may benefit from this result by focusing on measuring $\sigma'_{g,int}$ and saving on integration time.

Based on observations made with ESO Telescopes at the La Silla Paranal Observatory under program IDs 194-A.2005 and 1100.A-0949 (the LEGA-C Public Spectroscopy Survey). CMSS acknowledges support from Research Foundation—Flanders (FWO) through Fellowship 12ZC120N. This project has received funding from the European Research Council (ERC) under the European Unions Horizon 2020 research and innovation program (grant agreement No. 683184). FDE additionally acknowledges funding through the ERC Advanced grant 695671 "QUENCH" and support by the Science and Technology Facilities Council (STFC). PFW acknowledges the support of the fellowship from the East Asian Core Observatories Association.

Appendix Custom Code for Emission Line Dynamics

A.1. Basic Functionality

Our custom model is in its functionality most similar to MisFIT (Price et al. 2020). Here we repeat for completeness the exact steps the code performs to generate a model emission line.

We first defined coordinates x', y', z', and λ' , with the spatial coordinates relative to the presumed dynamic center. For the LEGA-C spectra, this is pixel row 40 in the y' direction. The wavelength λ' can be given either in observed or rest frame. We generated a "cube" of observed spatial coordinates, where the x' and z' dimensions are a fraction of the y' dimension depending on the orientation of the galaxy. The cube is generated with a factor of three times higher spatial resolution than the data. The center of the cube has coordinates (x', y', z') = (0, 0, 0).

We performed a coordinate transformation to obtain the intrinsic x, y, and z:

$$\begin{bmatrix} x \\ y \\ z \end{bmatrix} = \begin{bmatrix} \cos i & 0 & -\sin i \\ 0 & 1 & 0 \\ \sin i & 0 & \cos i \end{bmatrix} \begin{bmatrix} \cos \Delta P.A. & \sin \Delta P.A. & 0 \\ -\sin \Delta P.A. & \cos \Delta P.A. & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x' \\ y' \\ z' \end{bmatrix}.$$
(A1)

As dynamic quantities we defined

$$v_{\text{rot}}(r) = \frac{2}{\pi} V_t \arctan \frac{r}{R_t}; \text{ with } r = \sqrt{x^2 + y^2}$$
 (A2)

$$\sigma_0 = \text{constant.}$$
 (A3)

The line-of-sight projections are

$$v_{\text{rot,LOS}}(r) = -v_{\text{rot}}(r)\frac{y}{r}\sin i$$
 (A4)

$$\sigma_{LOS} = \sigma_0 / \sqrt{3} \,. \tag{A5}$$

We assumed an exponential light profile for the face-on projection with scale length $R_s = R_e/1.678$ and also an exponential profile for the edge-on projection with scale length $h_z = 0.19R_s$:

$$I(r, z) = e^{-r/R_s} e^{-z/h_z}$$
. (A6)

In order to expand the intensity cube into velocity space, we defined the coordinates

$$v' = \frac{\lambda' - \lambda_c}{\lambda_c} c,\tag{A7}$$

where λ_c is the center of the emission line and c is the speed of light; λ_c should be in observed or rest frame depending on λ' . We note that the resolution of v' is dependent on λ_c if the latter is a free variable in the fit. Again we oversampled by a factor 3.

We obtained a 4D intensity cube I(x, y, z, v') = I(r, z, v'), for which the intensity is diluted along the v' direction, that is,

$$I(r, z, v') = \frac{I(r, z)}{\sqrt{2\pi\sigma_{LOS}^2}} \exp{\frac{-(v' - v_{rot, LOS}(r))^2}{2\sigma_{LOS}^2}}.$$
 (A8)

We integrated I(r, z, v') along the z' dimension, that is, along the line of sight, to obtain I(x', y', v'). Then we convolved each slice at fixed coordinate v' of the resulting cube with the observational PSF—in this study a Moffat profile.

The convolved model cube, $I_{\text{conv}}(x', y', v')$, can be further reduced to a 2D model emission line. We rebinned along the x' and y' dimensions to retrieve the original resolution. We then projected a slit with width Δx and infinite length along the y' dimension, centered on x'=0, and selected those pixels for which $|x'|<\Delta x/2$. For each slice at fixed coordinate x' we shifted the pixels in velocity space with an amount corresponding to the offset of the slice from x'=0 in pixels, to mimic instrumental broadening. Then we integrated over the slit and rebinned in velocity space to obtain $I_{\text{conv}}(y', v')$, where v' can be projected back onto λ' space, resulting in the model emission line.

A.2. Postprocessing Specific to This Study

The model emission line can be directly fitted to the data, or further reduced to a velocity curve and dispersion profile. To avoid having to account for differences in the symmetry of the light profile of the data and to be able to use the joint pPXF fits to multiple emission lines, we chose the latter. We used scipy.optimize.leastsq to fit single Gaussian profiles to the flux in each row of the model emission line. As there is no noise, a fit to the model will give an unequivocal result. The Gaussians have a minimum instrumental dispersion of 34 km/s and were allowed to broaden further resulting in the equivalent of $\sigma_{\rm pPXF}$. The centers of the Gaussians were used to obtain the model velocity curve. We note that because of this postprocessing step, the normalization of the model intensity cube does not have to be considered.

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